

Mesoscale eddy dynamics in the Arctic Ocean: Requirements for tracer transport parametrizations

P. E. Isachsen and N. M. Kristensen: *Norwegian Meteorological Institute*
 O. A. Nøst, T. Hattermann, D. Shcherbin and F. Gaardsted, Ø. Leikvin: *Akvaplan-NIVA*
 J. Albretsen and J. Skardhamar: *Norwegian Institute for Marine Research*
 A. Sundfjord, Y. Kasajima: *Norwegian Polar Institute*

The role of eddy transport and the resolution problem

- The oceanic heat transport into the Arctic is mediated by time-mean boundary currents
- But the bulk of the air-sea heat loss takes place away from the boundary currents.
- Boundary currents are baroclinically unstable. Lateral eddy heat transport crucial.

- The gravest internal deformation radius:
 - 5-25 km in deep basins
 - <5 km on shelves
- Topographic slopes will modify normal Eady scaling for EKE and eddy length scales.

- Eddy transport needs to be heavily parametrized in climate models.
- Models appear to have particular problems with topographic effects.

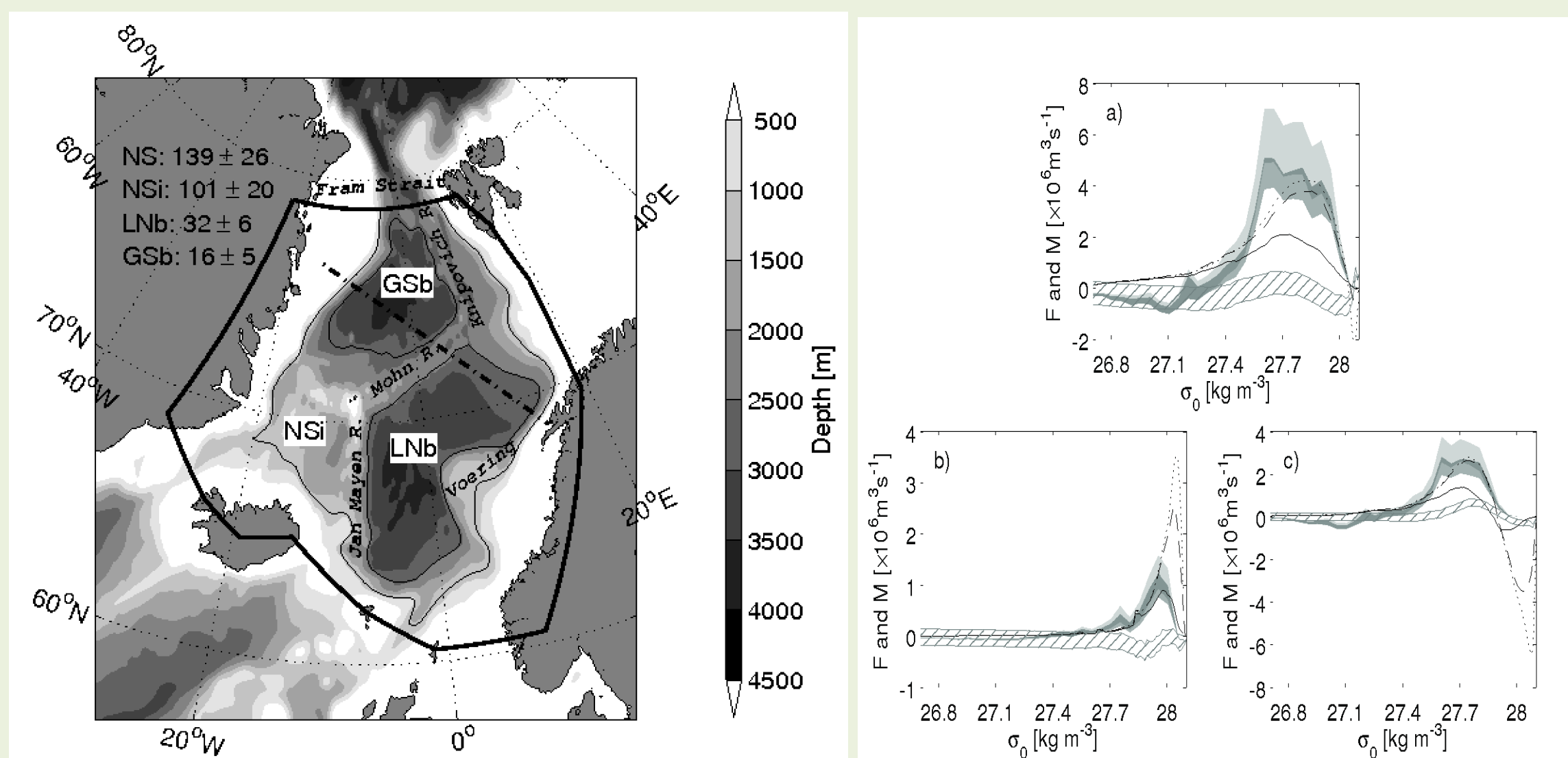


Fig. 1: (left) Surface heat loss and (right) diapycnal overturning transport in the Nordic Seas (from Isachsen and Nøst, 2013).

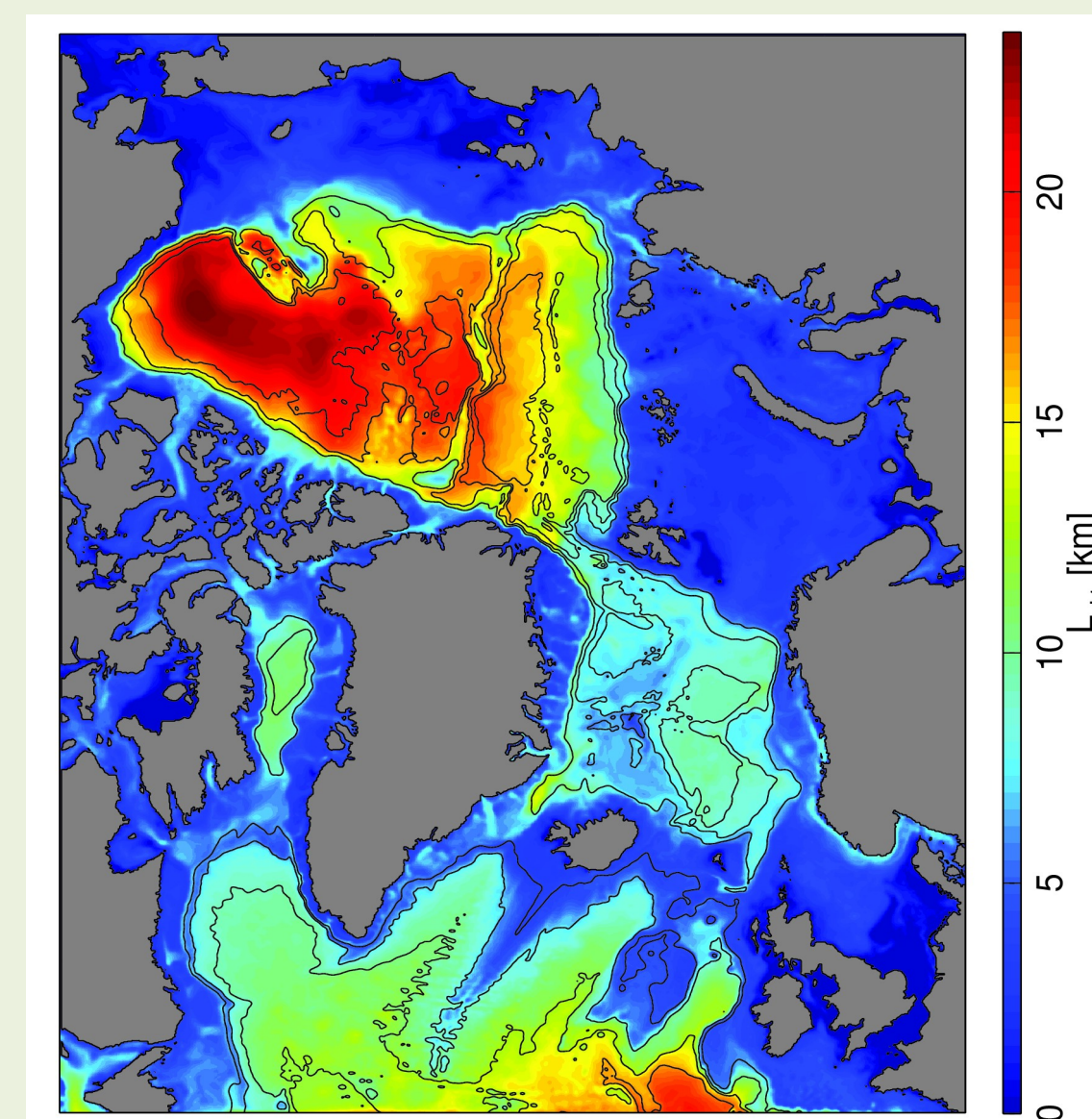


Fig. 2: Gravest internal deformation radius

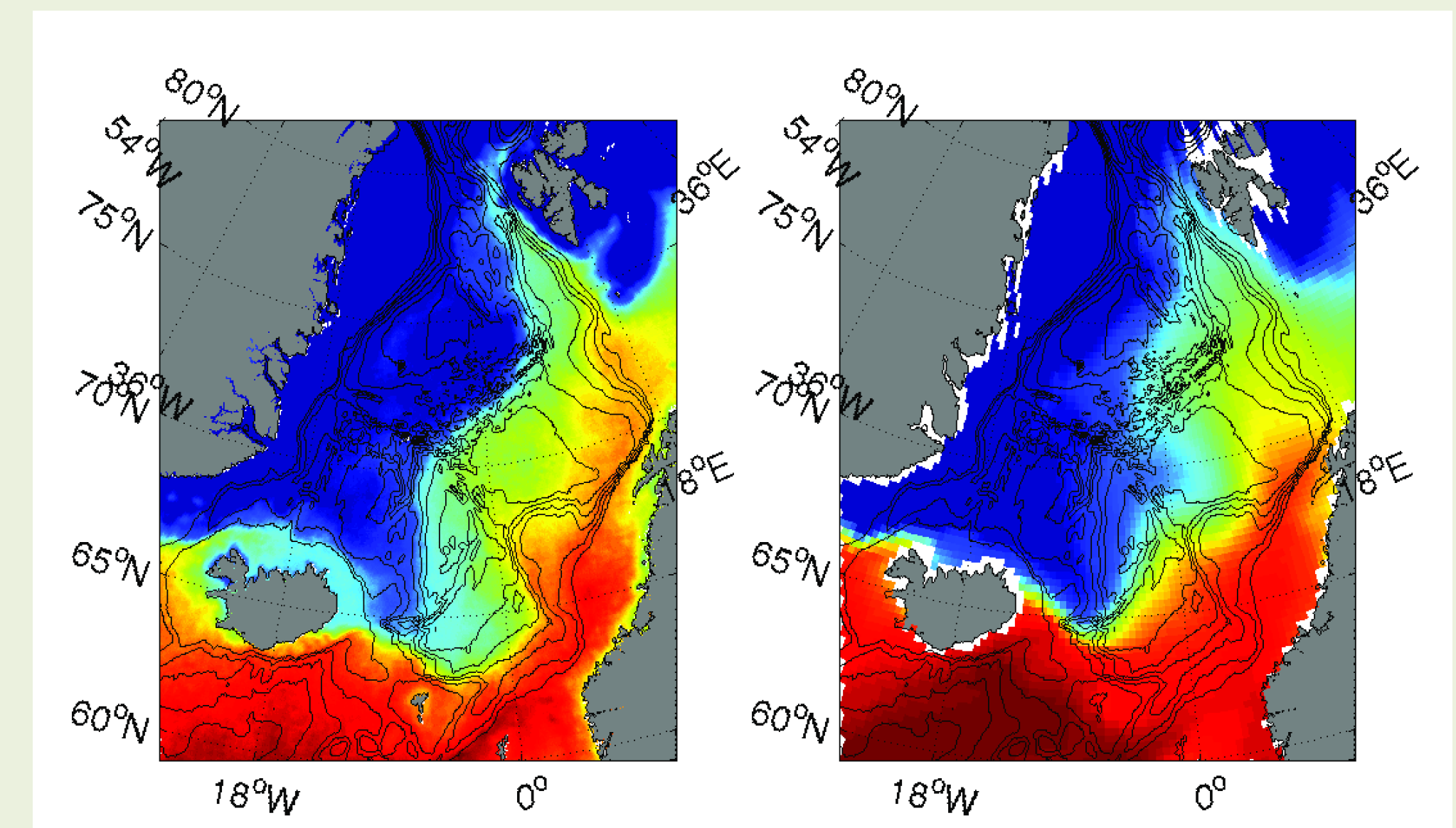


Fig. 3: SST from (left) observations (OSTIA analysis) and (right) NorESM climate model.

Useful forms of eddy parametrizations

- Fluxes should be adiabatic in interior → overturning streamfunction (GM)
- Observations and modeling from the Southern Ocean suggest that eddy overturning over continental slopes can lift dense water onto shelves.

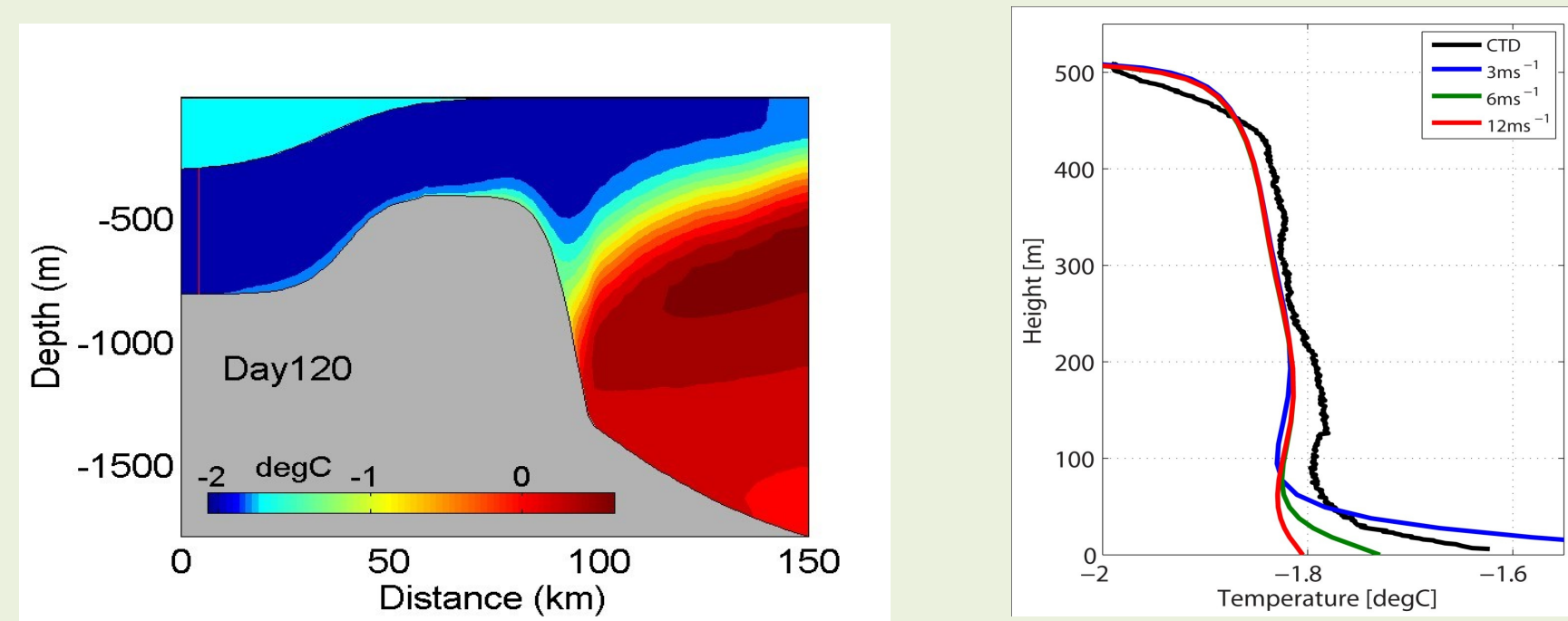


Fig. 4: (left) Modeled hydrography over Antarctic continental slope and (right) modeled and observed hydrographic profiles on the shelf (Nøst et al., 2011).

- Ferrari et al. (2010) proposed a GM-like streamfunction param. with top and bottom boundary layers:

$$\left(\rho_z - c^2 \frac{\rho_0}{g} \frac{d^2}{dz^2}\right) \Psi^\# = -\kappa \nabla_h \rho, \quad -H < z < 0$$

$$\Psi^\# = 0, \quad z \in [-H, 0]$$

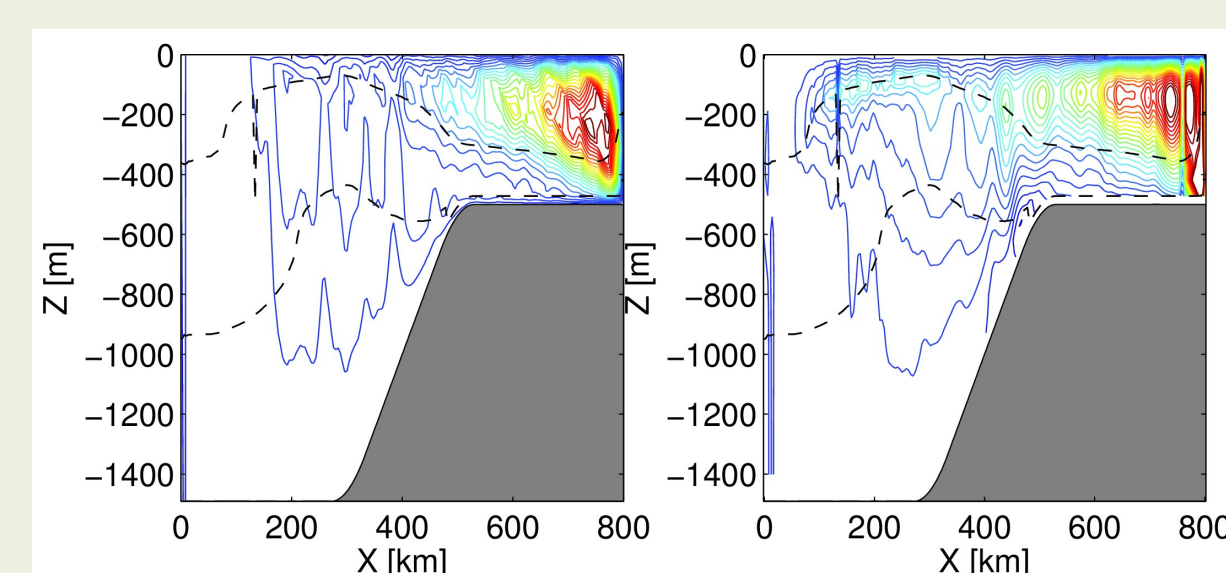


Fig. 5: Eddy overturning in an eddy-resolving model: (left) diagnosed, (right) parametrized.

Realistic diffusivities

- Classic (Stone, 1972) $K = V_{tw} * L_d$ appears not to work.
- Diffusivities (and eddy length scales) sensitive to bottom topography.

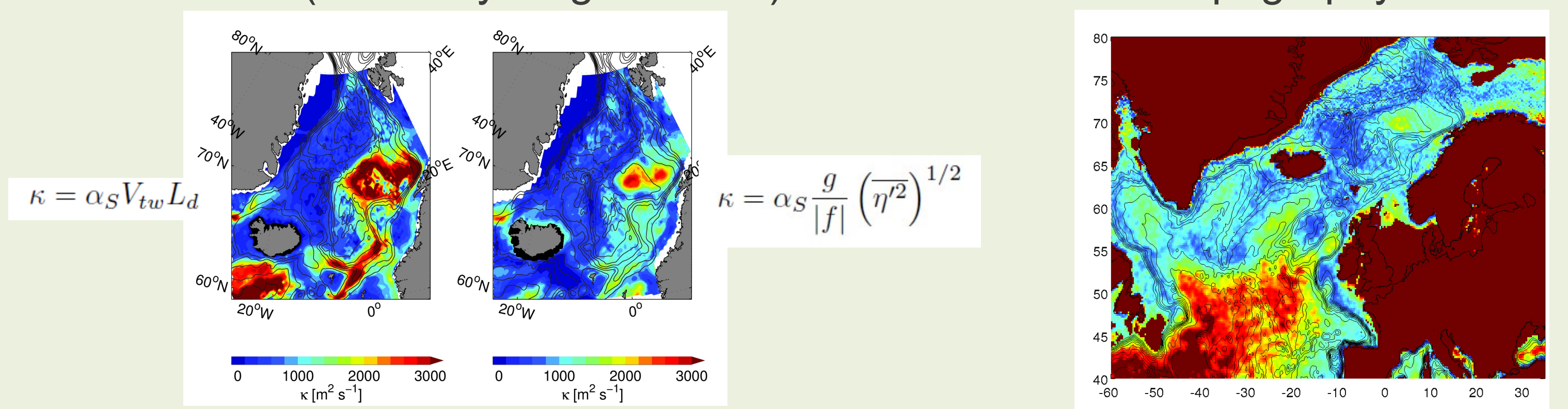


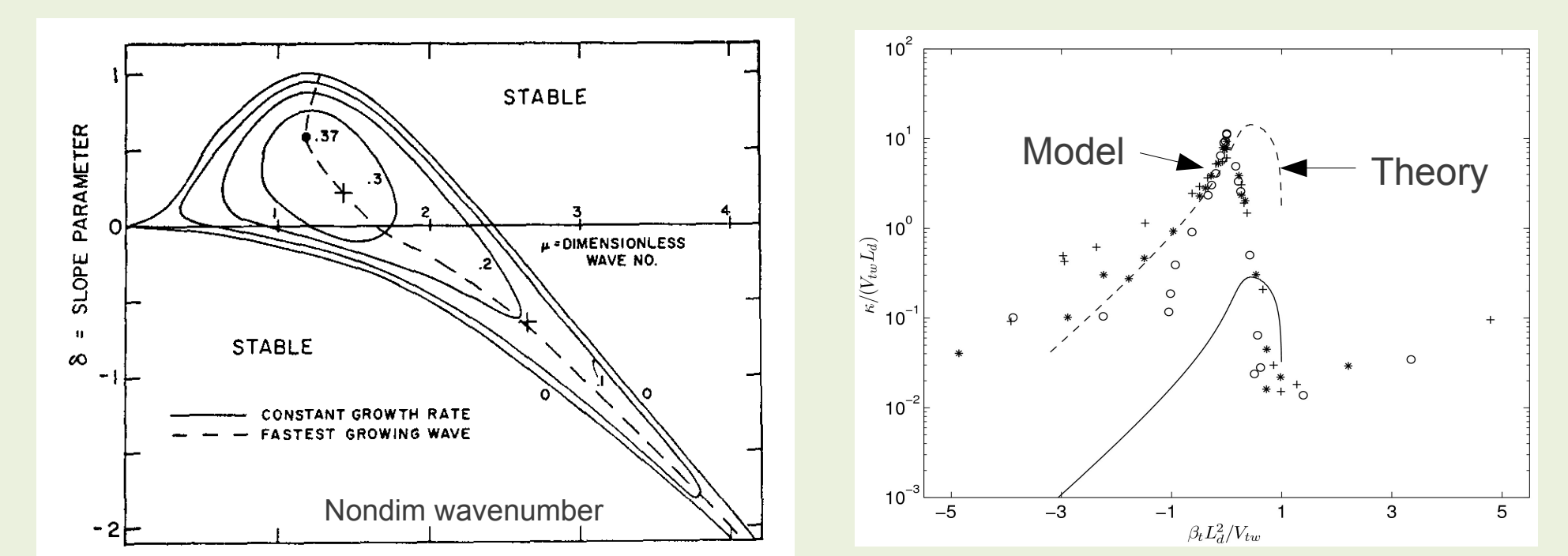
Fig. 6: Diffusivity estimates: (left) Stone (1972) and (right) Holloway (1986).

Fig. 7: Estimates of eddy length scales from along-track altimetry data.

- Modified Eady theory has shown some success in idealized numerical models.

$$\delta = \frac{h_x}{-\rho_x/\rho_z} \sim -\frac{(f/H) \cdot h_x \cdot L_d^2}{V_{tw}}$$

Fig 8: Modified Eady theory (Blumsack and Gierasch, 1972): (left) growth rates and (right) diffusivities from theory and diagnosed in eddy-resolving model (Isachsen, 2011).



Assessments of “coarse-scale”, “eddy-permitting” and “fully eddy-resolving” simulations (Work in progress)

- A comparison of eddy dynamics and transport in models at 20km, 4km and 800 m horizontal resolution (also with varying vertical resolution).
- Using ROMS primitive equation model (terrain-following vertical coordinates).
- Validation against in situ current and hydrographic observations.

- Questions:
 - What resolution is adequate to resolve fluxes over cont. slope?
 - How important is Eady vs. non-Eady dynamics and associated transport?
 - How well do current parametrizations do? What modifications are crucial?

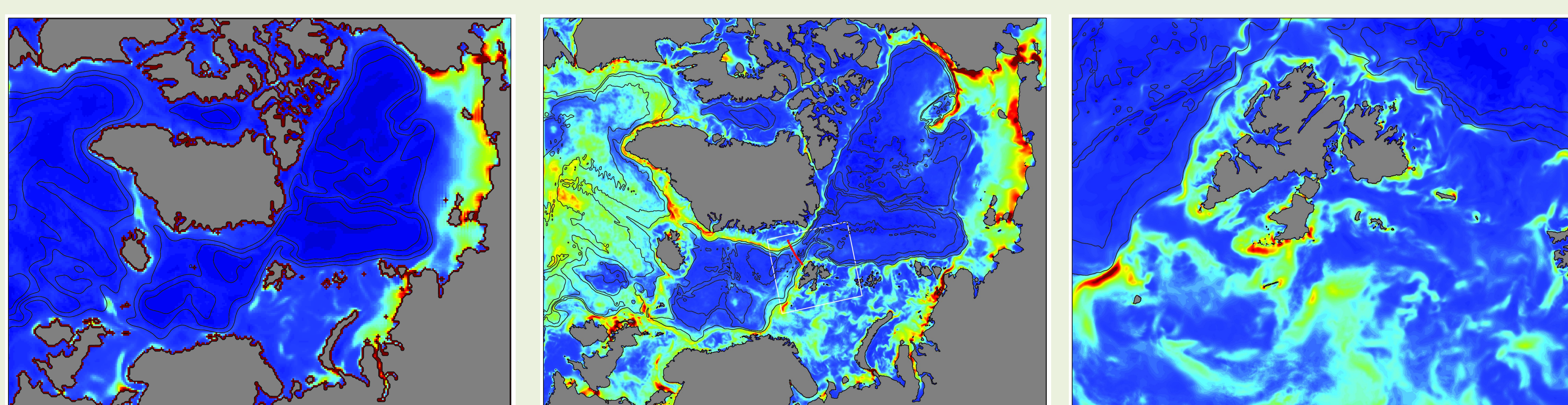


Fig. 8: Winter-time EKE in models with (left) 20km (middle) 4 km and (right) 800 m horizontal resolution. Fram Strait mooring array is shown with red dots in middle panel.

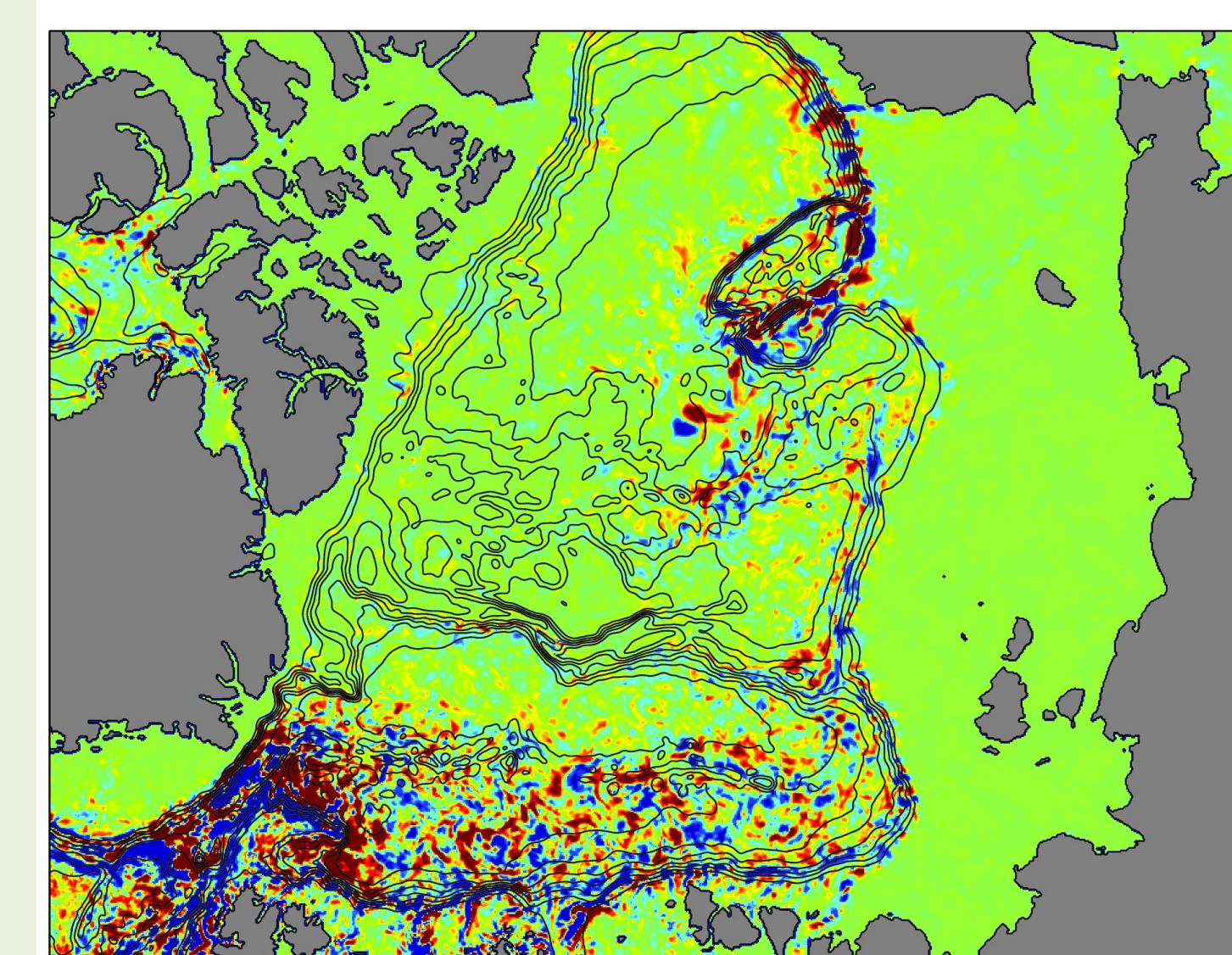


Fig. 9: Winter-time depth-integrated eddy temperature flux convergences in 4 km model (red=advective heating, blue=advective cooling).