

## Spatial and temporal variability of oceanic heat flux to the Arctic ice pack

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[1] In order to simulate the large-scale structure and temporal variability of oceanic heat flux ( $F_w$ ) to the Arctic perennial ice pack, observations of heat in the mixed layer and ice dynamics are compared with parameterizations and climatologies. Long-term drifting platform observations of seawater temperature and salinity (primarily from automated buoys) are used to describe the annual cycle of temperature above freezing ( $\Delta T_f$ ) in the mixed layer beneath the ice pack, which are modulated by ice-ocean friction velocities ( $u^*$ ) determined from the platform drifts to produce estimates of  $F_w$  between 1975 and 1998. On average,  $\Delta T_f$  is not negligible in winter, especially in the Transpolar Drift, which implies a positive  $F_w$  to the ice pack by means other than solar heating. A parameterization based solely on the solar zenith angle (with a 1 month lag) is found to largely describe the observed  $\Delta T_f$  (with root mean square error of  $0.03^\circ\text{C}$ ), despite the lack of an albedo or open water term. A reconstruction of  $F_w$  from 1979 to 2002 is produced by modulating parameterized  $\Delta T_f$  with  $u^*$  on the basis of daily ice drift estimates from a composite satellite and in situ data set. The reconstructed estimates are corrected for regional variations and are compared to independent estimates of  $F_w$  from ice mass balance measurements, indicating annual  $F_w$  averages between  $3$  and  $4 \text{ W m}^{-2}$  depending on the selection of under-ice roughness length in the ice-ocean stress calculations. Although the interannual variations in  $\Delta T_f$  are fixed by the parameterization in the derived reconstruction, the dynamics indicate an overall positive trend ( $0.2 \text{ W m}^{-2} \text{ decade}^{-1}$ ) in Arctic  $F_w$ , with the largest variations found in the southern Beaufort Gyre.

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### 1. Introduction

[2] The equilibrium thickness of the pack ice in the central Arctic is believed to be sensitive to changes in the oceanic heat flux ( $F_w$ ) from the seawater to the ice [Maykut and Untersteiner, 1971]. The product of heat and turbulence at the ice-ocean interface,  $F_w$  is a poorly understood component of recent global climate change studies. Most of the heat that is transmitted to the underside of the ice pack is suspected to be from solar radiation rather than from upwelling warmer water [Maykut, 1982; Maykut and Perovich, 1987], but storm-induced instances of upwelling and entrainment of warmer deeper water have been reported [Yang *et al.*, 2001]. Models suggest that the equilibrium ice thickness of 3 m may be maintained by an annual average bottom heat flux of  $2 \text{ W m}^{-2}$  [Maykut, 1982], but observations usually exceed that value. Typical estimates for the central Arctic are  $4 \text{ W m}^{-2}$  (or more) from June through August and  $0 \text{ W m}^{-2}$  for the remainder of the year [Maykut

and McPhee, 1995], however, the observations are sparse in space and time, which hampers confident basin-wide estimates. The seasonality of the heat and salt budgets between the ice pack and upper ocean, and the significance of transient effects on these balances, are important concerns for understanding changing Arctic sea ice mass balance and changes in upper ocean properties. Since evidence suggests that the ice extent and thickness are decreasing in the Arctic [Comiso, 2002; Rothrock *et al.*, 2003], a better knowledge of the contribution of  $F_w$  is needed.

[3] Direct turbulence measurements of  $F_w$  are difficult to make, since they require frequent, high precision determinations of temperature, salinity, and vertical velocity in the near-surface boundary layer under drifting sea ice [e.g., McPhee and Stanton, 1996]. The turbulent fluxes are computed using a Reynolds analogy to estimate ensemble means from covariances. As a result, direct measurements of  $F_w$  are sparse in space and time. On the basis of direct measurements from 3 ice camps, a simplified parameterization [McPhee, 1992] was developed to estimate  $F_w$  by modulating the mixed layer temperature above freezing ( $\Delta T_f$ ) by the ice-ocean friction velocity ( $u^*$ ), where  $u^*$  is

**Table 1.** Duration and Dates of Observations

Platform	Observations <sup>a</sup>	Start	Day	End	Day
<i>Beaufort Gyre Time Series</i>					
AIDJ_BB	211	Apr-75	102	Oct-75	274
AIDJ_BF	307	May-75	132	Apr-76	112
AIDJ_CB	408	May-75	135	Apr-76	117
AIDJ_SB	296	May-75	138	Apr-76	112
SAL_947	168	Apr-85	106	Oct-85	304
SAL_895	347	Apr-86	94	May-87	121
SAL_896	101	Sep-86	268	Jan-87	28
SAL_897	238	Sep-86	257	Jul-87	182
SAL_289 <sup>b</sup>	206	May-88	131	Nov-88	335
SAL_369	39	Mar-90	83	Apr-90	120
SAL_790	381	Apr-92	107	Apr-93	120
SAL_797	120	Sep-93	247	Dec-93	365
SAL_795	129	Oct-93	297	Mar-94	60
B96IOEB	338	May-96	122	Apr-97	98
B97IOEB	264	Apr-97	102	Dec-97	365
SHEBA	327	Oct-97	291	Sep-98	273
Total	3880				
<i>Transpolar Drift Time Series</i>					
FRAM_1	87	Mar-79	90	May-79	126
SAL_283	245	May-88	123	Dec-88	366
SAL_285	280	May-88	147	Feb-89	59
SAL_288	828	May-88	143	Aug-90	213
SAL_286	30	Jun-88	154	Jul-88	183
CEAREXO	29	Mar-89	89	Apr-89	118
SAL_103	396	Sep-90	270	Nov-91	299
SAL_104	342	Sep-90	268	Aug-91	243
SAL_108	39	Sep-90	267	Oct-90	304
SAL_792	48	Mar-91	74	Apr-91	120
SAL_793	46	Apr-92	108	May-92	152
SAL_794	199	Apr-92	108	Oct-92	305
SAL_798	181	Sep-93	245	Feb-94	59
T94IOEB	107	Apr-94	103	Jul-94	210
SAL_798	159	May-94	147	Nov-94	305
Total	3016				
<i>Other</i>					
SAL_284	685	Apr-90	107	Feb-92	60

<sup>a</sup>Daily (buoy) or semidaily (ice camp) averages.

<sup>b</sup>Removed for anomalous high  $F_w$  along slope.

determined from a statistical relationship based on ice drift velocity. Another indirect method estimates time-averaged  $F_w$  from ice thermistor profiles [McPhee and Untersteiner, 1982; Perovich *et al.*, 1989].

[4] In this investigation,  $F_w$  is estimated using the McPhee [1992] equations on 32 long-term drifting platforms between 1975 and 1998, including over 7500 observation days. The observations of heat in the Arctic mixed layer and ice dynamics are compared with a hydrographic climatology and satellite sea ice motion data set. The hydrographic climatology inadequately depicts the annual cycle of  $\Delta T_f$ , so a parameterization based on the solar zenith angle and day of the year is introduced. A reconstruction of  $F_w$  from 1979 to 2002 is produced by using the McPhee [1992] equations to modulate the parameterized  $\Delta T_f$  with  $u^*$  derived from the daily ice motion data set. The reconstruction is corrected for regional variations, and compared to independent estimates of  $F_w$  from ice mass balance measurements in order to provide a better understanding of the basin-scale character of  $F_w$  beneath the perennial pack ice, and to analyze the annual and interannual variability due to the dynamics of the ice motion.

[5] In section 2, the observations and climatological data are described. The methods of calculating the quantities of

interest are given in section 3. Estimates from the observations and reconstruction, factors influencing accuracy, and decadal and interannual variability are presented in section 4. Section 5 discusses the results.

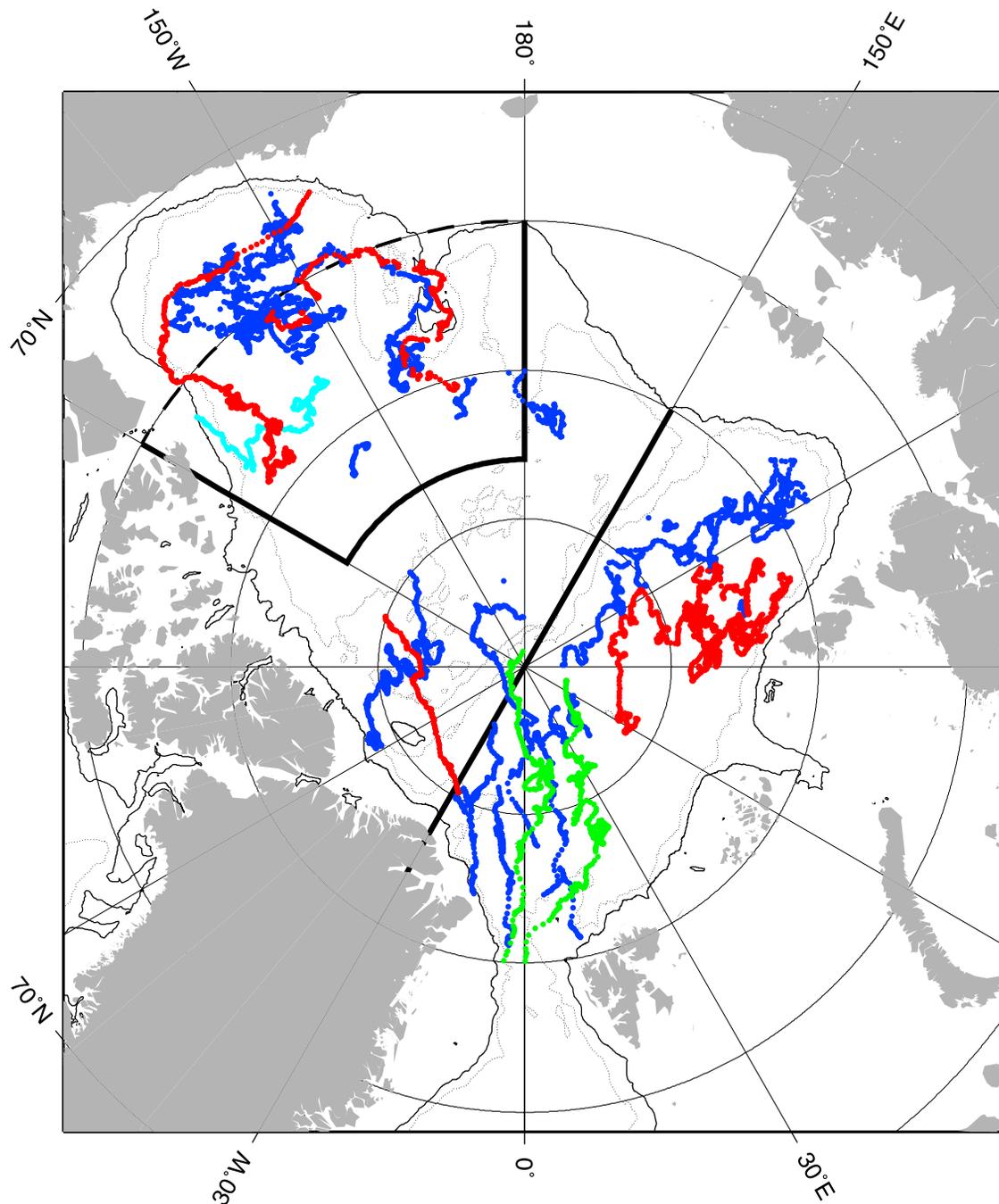
## 2. Data

### 2.1. Observations

[6] The primary hydrographic data analyzed here are Lagrangian time series of measurements at 8 or 10 m depths from 21 SALARGOS buoys and 2 Ice-Ocean Environmental Buoys (IOEBs) that were deployed between 1985 and 1998 at various locations across the Arctic. Usually between 1 and 5 buoys were deployed at any time. These are augmented with historical STD or CTD data from the AIDJEX, FRAM, CEAREX, and SHEBA ice camps (Table 1). Since all of these platforms are fixed to the floating icepack, ice drift vectors may be computed from location time series (Figure 1). The drift pattern of ice floes (and buoys) generally fall into two categories: west (Canada basins) or east (Eurasian basins) Arctic. The west is characterized by the Beaufort Gyre surface anticyclonic circulation and near surface salinity minimum, while the east is characterized by the surface Transpolar Drift that exports sea ice through the Fram Strait.

[7] SALARGOS (or Polar Ocean Profiler; POP) buoys are ice-tethered drifters with Argos location, air temperature and pressure, and six SeaBird temperature and conductivity sensor pairs suspended beneath the ice to as much as 300 m [Morison *et al.*, 1982]. The basic configuration of the SALARGOS and POP buoys was the same, except that the SALARGOS buoys of the 1980s used SBE-3 and SBE-4 sensors, while the POP buoys of the 1990s used SBE-16 sensors and included pressure sensors at more depths. Both systems are referred to as SALARGOS buoys in this paper. The data utilized here are from the uppermost seawater measurement at 10 m, which is usually located in the surface mixed layer below local surface disturbances. Twenty-four SALARGOS buoys were deployed throughout the Arctic between 1985 and 1996 by the Polar Science Center, University of Washington. The lifetime of the expendable systems varied from as little as 1 month to over 2 years. These data were contributed to the Joint Russian-American Environmental Working Group Arctic Atlas CD-ROMs (EWG, available at <http://www.nsidc.colorado.edu/data/ewg/>), and are provided on the International Arctic Buoy Program (IABP, available at <http://iabp.apl.washington.edu>) CD-ROM (version 1.0) in 12 minute and 10 day averages. The accuracy of the SeaBird sensors are expected to be about  $\pm 0.01^\circ\text{C}$  and  $\pm 0.05$  PSU, but without postdeployment calibrations, it is impossible to precisely determine sensor drifts. However, obvious malfunctions and a few spurious Argos locations were removed, resulting in 5207 days of temperature and salinity observations at 10 m from 21 SALARGOS buoys.

[8] The IOEB system consists of a surface flotation package which supports the meteorological and ice sensors, and houses data loggers, transmitters, antennae, and batteries [Krishfield *et al.*, 1993; Honjo *et al.*, 1995; Krishfield *et al.*, 1999]. Suspended from the surface float is a 110 m long mooring system that includes precision salinity and temperature recorders, current profiling, and biogeochemi-



**Figure 1.** Drift tracks of all platforms used in this study. Those selected for Figure 6 are indicated in red. The buoy indicated in cyan was removed from the calculations for anomalous data near the slope. The drift tracks of the measurements from the ice mass balance and JCAD buoys are plotted in green. The thick solid lines delineate the upper boundaries of the Beaufort Gyre (top left, between  $120^{\circ}\text{W}$ – $180^{\circ}$  and south of  $83^{\circ}\text{N}$ ) and Transpolar Drift (bottom right, between  $30^{\circ}\text{W}$  and  $150^{\circ}\text{W}$ ) regions. The southern boundaries are defined by the 50% ice contour from satellite data (which vary depending on month and year) or 500 m isobath (thin solid line).

cal sensors. In April 1996, an IOEB in the Beaufort Gyre was recovered after 4 years of drift since being deployed at the LEADDEX ice camp. Sensors and batteries were replaced, and the system was redeployed on a similar nearby ice floe within one week (B96IOEB). In April 1997, the system was again visited, the sensors and batteries were replaced, and the package was redeployed (B97IOEB).

Although this IOEB was subsequently never recovered, over 2 years of near-continuous data from the air, ice, and upper ocean sensors were made available via Argos satellite transmission before the system drifted onto the Chukchi shelf. Another IOEB was deployed north of Fram Strait in the Transpolar Drift (T94IOEB), and drifted for 9 months before being recovered east of Greenland.

[9] SeaBird SBE-16 SeaCats are used at three locations (8, 43 and 75 m) along the IOEB mooring for salinity and temperature measurements. Data from the instrument at 8 m on both IOEBs described above are presented. The temperature measurements are accurate to  $\pm 0.01^\circ\text{C}$  and the salinity to  $\pm 0.05$  PSU, although minor uncertainties exist in the depth determinations because of mooring declination. Calibrations were performed before being deployed in 1996 and in 1997, and indicate that sensor drifts for the moored instruments are within the stated accuracies (temperature  $< 0.005^\circ\text{C yr}^{-1}$ , salinity  $< 0.002 \text{ month}^{-1}$ ). Because the IOEB redeployed in 1997 was not recovered, no postcalibration of the 1997–1998 SeaCat data was performed. However, there were no obvious shifts indicated in the data that were telemetered. IOEB data are available at <http://ioeb.whoi.edu/>.

[10] Although ice camp hydrographic measurements have historically been acquired less frequently than these buoy data, they do provide additional time series of mixed layer properties and ice drift, and sometimes other independent heat flux observations. Semidaily STD data from the four AIDJEX ice camps in the Beaufort Sea were obtained from the National Snow and Ice Data Center (NSIDC, available at <http://www.nsidc.colorado.edu/>), spanning the period April 1975 to April 1976 [Bauer *et al.*, 1980; Maykut and McPhee, 1995]. The accuracy of these earlier STD data is reported to be  $\pm 0.03$  in both temperature and salinity [Bauer *et al.*, 1980; Maykut and McPhee, 1995], so is less precise than the buoy data. Also available from the NSIDC, the CEAREX CD-ROM (available at <http://www.nsidc.colorado.edu/data/nsidc-0020.html>) provides CTD data in the Transpolar Drift from the CEAREX oceanography camp in spring 1989, as well as STD data from the spring Fram 1979 and 1981 ice camps. From October 1997 to September 1998, the SHEBA ice camp employed a yo-yo CTD down to 150 m depth, and these data were obtained from the UCAR/NOAA CODIAC website via the SHEBA homepage (<http://sheba.apl.washington.edu/>). The accuracy of the data from the post-AIDJEX ice camps is believed to be the same quality as the buoy data.

[11] The aforementioned time series compose the main observational data set. An independent means of calculating  $F_w$  utilizes time series of ice thermistor profiles. Over the past decade nearly year-long drifting ice temperature profile time series were acquired by several automated ice mass balance buoys [Perovich *et al.*, 1997, 2003] and on the IOEBs. The ice thermistor strings provide temperature readings with an accuracy of about  $0.1^\circ\text{C}$  from above the surface of the ice to beneath the bottom surface, with vertical spacings as tight as 5 cm between sensors located around the ice bottom (which limits the resolution in ice bottom determinations). Acoustic sensors are used on the newer ice mass balance buoys to measure the position of the ice bottom to 1 cm.

[12] Estimates of  $F_w$  from the ice data are compared to estimates of  $F_w$  using coincident hydrographic data obtained from the IOEBs or JAMSTEC Compact Arctic Drifters (JCAD, available at [http://www.jamstec.go.jp/arctic/J-CAD\\_e/jcadindex\\_e.htm](http://www.jamstec.go.jp/arctic/J-CAD_e/jcadindex_e.htm)). Similar to the IOEB, the JCAD also obtains hydrographic time series at discrete depths, but use SeaBird Microcats and the uppermost JCAD measurement is located at 25 m below the surface (instead of at 10 m

as the IOEB). The 25 m data from two JCADs that were deployed at the North Pole in spring 2000 and 2002 [Kikuchi and Hosono, 2003] are also used to compute  $F_w$ , by assuming that the surface layer is truly mixed to at least 25 m and substituting those observations at 10 m.

## 2.2. Climatological Data

[13] For comparison with the observations, and to provide similar information on broader temporal and spatial scales across the entire Arctic basin, a hydrographic climatology and ice drift data set are employed. Mean monthly temperature and salinity information at  $1^\circ$  grid spacing and standard depths were obtained from the Polar Hydrographic Climatology, version 2.1 (PHC; <http://psc.apl.washington.edu/Climatology.html>) [Steele *et al.*, 2001]. The PHC is a merged data set combining the accuracy but low temporal resolution of the EWG at high latitudes (only two climatological seasons) with the relatively data-poor (without the historical Russian data) but higher temporal resolution of the World Ocean Atlas (WOA; <http://www.nodc.noaa.gov/>). However, (1) the annual cycle is not derived from monthly mean data, but instead from winter and summer endpoints by applying an arbitrary cyclic function, and (2) there is a discontinuity between  $82.5$  and  $83^\circ\text{N}$  where the EWG and WOA are merged (which has since been corrected in PHC version 2.2). For the purposes of this study, mixed layer properties are characterized by the temperature and salinity values at 10 m. Since the PHC climatology is described for only one annual cycle, inter-annual or decadal variations in thermal and freshwater budgets are neglected.

[14] Daily sea ice motion vector grids from 1979 through 2003 [Fowler, 2003] were obtained from the NSIDC (available at <http://www.nsidc.colorado.edu/data/nsidc-0116.html>). Vectors are computed from Advanced Very High Resolution Radiometer (AVHRR), Scanning Multichannel Microwave Radiometer (SMMR), Special Sensor Microwave/Imager (SSM/I), and IABP buoy data, combined using optimal interpolation, and reprojected to 25-km EASE-Grids. In order to estimate the accuracy of the gridded data set, Fowler interpolated several years of vectors to the same grid but without using the buoy data, and determined that the mean differences for each vector component was less than  $0.5 \text{ cm s}^{-1}$ , with root mean square error of approximately  $3 \text{ cm s}^{-1}$ . However, surface melt ponds on the ice and increased cloud cover in summer reduces the number and location of vectors that can be determined from the satellite data so that individual summer daily ice motion grids may contain significant noise.

## 3. Methods

### 3.1. Turbulent $F_w$ Calculations

[15] Using the mixed layer temperature and salinity, and ice drift data previously described, the quantities that are evaluated are seawater density ( $\sigma$ ),  $\Delta T_f$ ,  $u^*$ , and  $F_w$ . The freezing point of seawater and  $\sigma$  are calculated from the seawater temperature, salinity, and pressure (converted from depth) using the CSIRO toolkit (<ftp://ftp.marine.csiro.au/pub/morgan/seawater/>) on the basis of UNESCO 1983 equations [Fofonoff and Millard, 1983].  $\Delta T_f$  is merely the difference of the temperature from the freezing point tem-

perature. Either adding heat or removing fresh water will elevate  $\Delta T_f$  in seawater of fixed pressure and volume.

[16] A statistical relationship [McPhee, 1979] is used throughout the present study to determine  $u^*$  from the square root of the kinematic ice-ocean stress ( $\tau$ ):

$$u^* = \sqrt{\tau} \quad (1)$$

where

$$\tau = 0.0104 * V^{1.78} \quad (2)$$

and  $V$  is the difference of the ice velocity from the surface geostrophic current velocity.

[17] In the same study [McPhee, 1979], a steady state planetary boundary layer model was also adapted to describe the relationship. Inherent in the model are Rossby similarity constants, and the undersurface roughness ( $z_0$ ), which were fixed on the basis of AIDJEX measurements. Recent results from the SHEBA ice camp [McPhee, 2002] suggest that  $z_0$  for undeformed multiyear ice is more than an order of magnitude less than the AIDJEX estimates, which would reduce the calculated  $u^*$  considerably. Therefore there is an arbitrary systematic error associated with specifying  $z_0$  (which is considered in the discussion section). Furthermore, tides and the geostrophic current in the Arctic are relatively small in the Arctic ice pack (typically less than  $5 \text{ cm s}^{-1}$ , with the exception of local submesoscale eddies in the halocline), are neglected here when evaluating  $\tau$ , so are another potential source of error (a difference of  $5 \text{ cm s}^{-1}$  in  $V$  produces a difference in computed  $F_w$  of less than  $5 \text{ W m}^{-2}$  for  $\Delta T_f$  less than  $0.05^\circ\text{C}$ ).

[18] Using the McPhee [1992] equations,  $F_w$  is estimated by modulating the mixed layer  $\Delta T_f$  by  $u^*$  according to

$$F_w = \rho c_p c_h u^* \Delta T_f \quad (3)$$

where  $\rho$  is seawater density ( $= 1000 + \sigma$ ),  $c_p$  is specific heat of seawater near freezing ( $= 3980 \text{ J kg}^{-1}$ ), and  $c_h$  is the heat transfer coefficient ( $= 0.006$ ).

### 3.2. $F_w$ From Ice Temperature Profiles

[19] McPhee and Untersteiner [1982] described how the average  $F_w$  in ice covered regions can be calculated from ice growth, temperature and salinity profiles. The conductive, specific, and latent fluxes of the lower portion of the ice floe are determined from the ice profiles, and  $F_w$  is the residual in the heat balance. The conductive heat component can be estimated fairly accurately from the temperature profiles, and careful selection of the reference layer in thick floes can keep the specific heat storage component small in the calculations. Consequently, the source of the greatest error in the heat balance is typically associated with resolving the position of the ice bottom from the ice thermistor data to estimate the latent heat component from the growth or ablation of the bottom surface. Time averaging on monthly or greater timescales (40 to 80 days) reduces the error in the estimate to  $1-2 \text{ W m}^{-2}$ . However, single point measurements using this method have been shown to vary greatly, even contemporaneously on a single ice floe [Wettlaufer, 1991]. For the IOEB ice thermistor data, a combination of visually selected points and parametric fits of the profiles were intersected with the seawater freezing temperature to estimate the bottom to within  $1-2 \text{ cm}$ . The newer mass

balance buoys have acoustic sensors that determine the ice bottom to  $1 \text{ cm}$  with greater accuracy.

## 4. Results

### 4.1. Observations

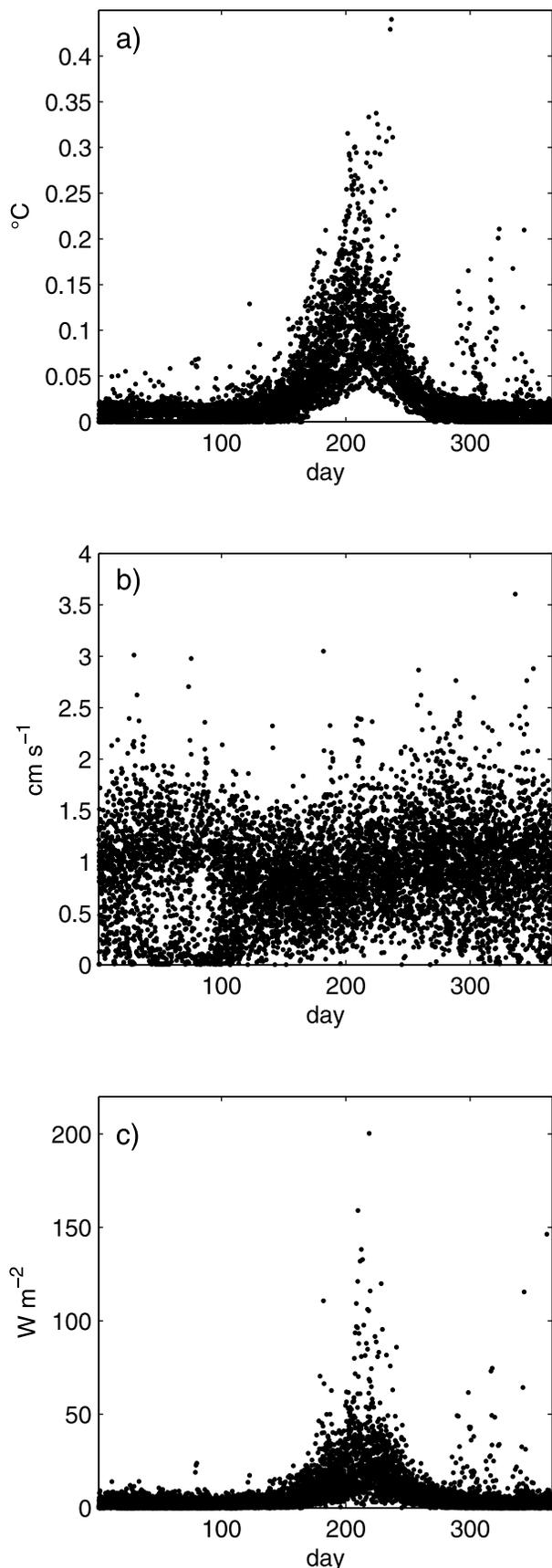
[20] The hydrographic data from the platforms listed in Table 1 are used to calculate seawater  $\sigma$  and  $\Delta T_f$  from each measurement from the instrument located at either 8 or 10 m in the case of buoys, or from averages between 8 and 12 m in the case of STD or CTD profiles. The values determined from the higher resolution buoy data and SHEBA yo-yo CTD are subsequently averaged on a daily basis, while the semidaily profiles from the other ice camps are not averaged. Ice drift velocities are calculated from the raw locations, and  $u^*$  is determined from each velocity and subsequently averaged in the same increments as the density and  $\Delta T_f$ .  $F_w$  is calculated from  $\sigma$ ,  $\Delta T_f$ , and  $u^*$  using equation (3). Consequently, a total of 7661 points results from the observations. Some broad features of the time series stand out when the computed daily or semidaily observations from all platforms are plotted on the same axes.

[21] The annual variations of density (not shown) are obscured by the geographical variations (the surface waters in the Canada Basins are fresher). As the temperature is close to freezing,  $\sigma$  is controlled mostly by the salinity, so temporal changes in  $\sigma$  presumably reflect the infusion of brine or freshwater due to the growth or ablation of the overlying sea ice and the influence of river input.

[22] There is a clear annual cycle in the  $\Delta T_f$  data, which increases in May, attains a peak around the end of July ( $\sim$ day 210) and decreases rapidly thereafter, and appears to vary relatively uniformly throughout the Arctic basins (Figure 2a). Between November and May,  $\Delta T_f$  is generally less than  $0.03^\circ\text{C}$ , except for a few instances. Specifically, the enhanced  $\Delta T_f$  evident just before day 300 are from a SALARGOS buoy deployed during CEAREX, and resulted from the upwelling and entrainment of entering Atlantic Water after a passing storm [Steele and Morison, 1993]. Similarly, the anomalies after day 300 are from IOEB data, and these have also been attributed to the entrainment of warmer subhalocline water due to synoptic events [Yang et al., 2001].

[23] On the other hand, there is no clear annual cycle in the  $u^*$  data (Figure 2b). As indicated previously, the calculations of  $u^*$  from ice velocity depend on the roughness of the sea ice and the upper ocean geostrophic velocity, and neglecting variations of these terms could be responsible for some error. Overall, there is a much larger amount of synoptic variability in  $u^*$ , than in either density or  $\Delta T_f$ .

[24] In Figure 2c, the annual cycle of  $F_w$  computed from all observations of  $\sigma$ ,  $\Delta T_f$ , and  $u^*$  closely resembles the annual cycle of  $\Delta T_f$  in Figure 2a, with greater variability induced by  $u^*$ . In Figure 3, the time series of  $F_w$  determined from each individual platform are presented, grouped according to region. The individual time series can be misleading by themselves when the geographic variations are not taken into account. The spatial distribution of  $F_w$  during the extreme winter and summer months are presented in 10-day averages from each individual platform in Figure 4. Because of the platform drifts, only in a very few areas do the data from different platforms overlap in the



**Figure 2.** Daily or semidaily averages of (a)  $\Delta T_f$ , (b)  $u^*$ , and (c)  $F_w$  as a function of day of year from all observations.

same region during the same time of the year, and those only do so for short periods of time. These differences in the data set make it difficult to determine the complete large-scale spatial structure and detailed temporal variability of  $F_w$  from the observations alone.

#### 4.2. Annual Variability From Observations

[25] In a previous study, *Maykut and McPhee* [1995] used the same methods on the daily CTD data from the 5 AIDJEX camps in the Beaufort Sea in 1975–1976 to estimate  $F_w$  and found maximum values reached 40 to 60  $\text{W m}^{-2}$  in August, for an annual average value of 5.1  $\text{W m}^{-2}$  (where they assumed zero heat flux in winter). This compares with the calculations in the present study, where annual average  $F_w$  at AIDJEX varies depending on ice camp from 4 to 9  $\text{W m}^{-2}$  (and no zero assumption).

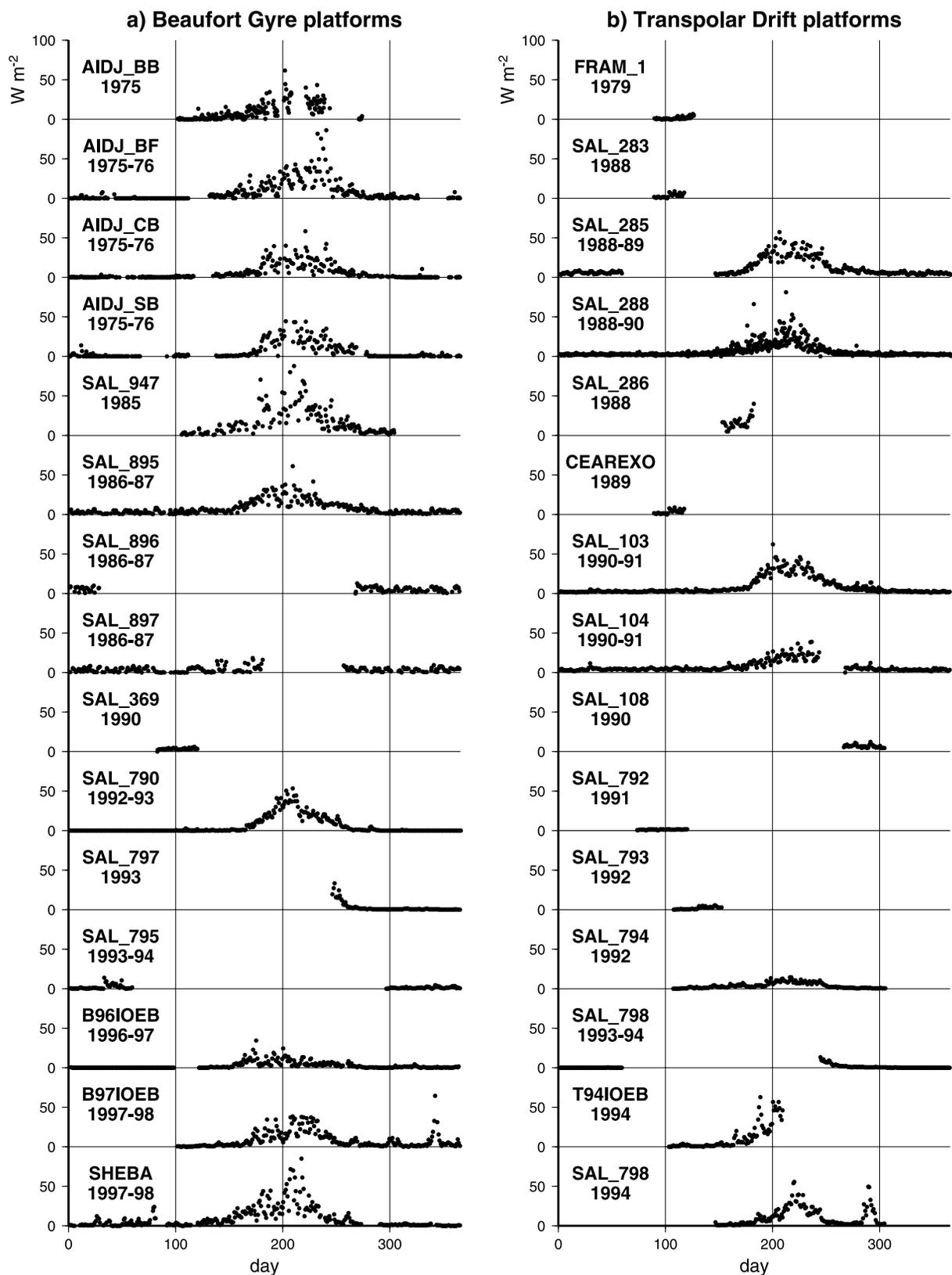
[26] However, when annual estimates are determined directly from different groupings of platform time series, the results vary somewhat because of variations in time and space. Annual  $F_w$  is 7.1  $\text{W m}^{-2}$  from all 10 platforms with observations through the summer in the Beaufort Gyre, however, when the data from one odd SALARGOS platform are removed, the annual mean is 6.6  $\text{W m}^{-2}$ . For comparison, *Perovich and Elder* [2002] report annual average  $F_w$  at SHEBA from ice temperature profiles from four different ice types, ranging from 7.5  $\text{W m}^{-2}$  for multiyear ice to 12.4  $\text{W m}^{-2}$  for an old ridge. In our calculations, SHEBA  $F_w$  from ice drift and hydrographic data averages 8.4  $\text{W m}^{-2}$ . Maximum  $F_w$  (19  $\text{W m}^{-2}$ ) was observed by two SALARGOS buoys in 1985 and 1988. Minimum annual  $F_w$  (2  $\text{W m}^{-2}$ ) was detected by the IOEB in 1996. In the Transpolar Drift, the locations of the platforms are farther north than in the Beaufort Gyre. However, as the platforms approach Fram Strait,  $F_w$  increases considerably [e.g., *Perovich et al.*, 1989]. Overall, annual average  $F_w$  calculated from the 7 SALARGOS buoys deployed in the Transpolar Drift region between 1988 and 1992 is 6.7  $\text{W m}^{-2}$ . Averaging  $F_w$  from all observations between 1985 and 1998 equals 6.9  $\text{W m}^{-2}$ .

[27] Monthly statistics of the quantities determined from observations are calculated altogether and separately from the platforms in the Transpolar Drift and Beaufort Gyre regions in Figure 5. While individual daily values are only as precise as 5–6  $\text{W m}^{-2}$ , monthly (and longer) averaging reduces the standard error of the  $F_w$  estimates to better than 1  $\text{W m}^{-2}$ . In Table 2, annual statistics are derived from monthly statistics of the daily data. Overall, mean annual  $F_w$  from the observations is not significantly different in the Beaufort Gyre and the Transpolar Drift regions.

[28] A large part of annual variability can be related to a latitudinal dependence on the solar insolation. In the summer, the heat in the upper ocean and flux of heat are larger in the Beaufort Gyre than the Transpolar Drift. On the other hand,  $F_w$  is not negligible in winter, but averages less than 2  $\text{W m}^{-2}$  in the Beaufort Gyre, and is approximately 3  $\text{W m}^{-2}$  in the Transpolar Drift. Because of the large seasonality of the signal, variance is large and exceeds the magnitude of the mean.

#### 4.3. $\Delta T_f$ Parameterization

[29] Annual average  $\Delta T_f$  from the observations varies from 0.03 to 0.08°C and is the most significant component



**Figure 3.** Daily or semidaily average time series of  $F_w$  for each individual platform in (a) Beaufort Gyre, (b) Transpolar Drift, and (c) other regions.

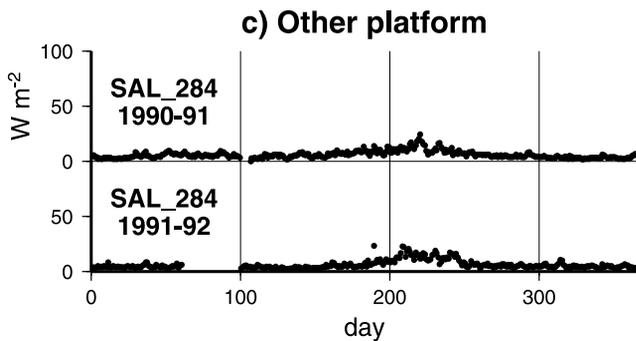


Figure 3. (continued)

of the annual cycle of  $F_w$  (while  $\sigma$  is the least). For comparison with the observations from the drifting platforms, a climatological  $\Delta T_f$  was also calculated from values of temperature and salinity at 10 m depth from the PHC. Sample plots of observed and climatological  $\Delta T_f$  from several platforms with data throughout the summer period are presented in Figure 6 (along with a parameterization of  $\Delta T_f$  discussed below). The differences between  $\Delta T_f$  from observations versus  $\Delta T_f$  from the climatology for all platforms are shown by a scatterplot in the top left plot of Figure 7 (where the Beaufort Gyre and Transpolar Drift regions are distinguished by different colors), and by a histogram in the top right plot of Figure 7. For the most part,  $\Delta T_f$  from the climatology overestimates  $\Delta T_f$  from the observations, and the standard deviation of the difference is  $0.2^\circ\text{C}$ . Consequently, correlations between each time series from the drifting platforms and the corresponding climatological values are low (median  $R^2 = 0.16$ ).

[30] A relatively simple statistical relationship based on the solar zenith angle ( $\alpha$ ) reproduces the observed annual signal of  $\Delta T_f$  with less error than the climatology. Out of all 33 time series from observations, only 17 which spanned most of the annual cycle were selected for parameterizing  $\Delta T_f$ . Using a least squares fitting algorithm the following relationship was determined:

$$\Delta T_f = 3 \cos(\alpha(t - 33))^6 + 0.01 \quad (4)$$

where  $\alpha$  is determined from the latitude and time, including a 33 day time lag. A contour plot of the parameterized values of  $\Delta T_f$  by day of year and latitude is presented in Figure 8.

[31]  $\Delta T_f$  from the observations sometimes exceeds the parameterized  $\Delta T_f$  even in winter, but on average the parameterization is about  $0.01^\circ\text{C}$  higher (as indicated by offset that is added at the end of equation (4)). From the examples in Figure 6 and the second row of plots in Figure 7, it is apparent that the parameterized  $\Delta T_f$  are a better fit to the  $\Delta T_f$  from observations, such that the standard deviation of the differences is less than  $0.03^\circ\text{C}$ . In fact, nearly 80% of the differences are less than  $0.01^\circ\text{C}$  (which produces differences in daily estimates of  $F_w$  of less than  $2.5 \text{ W m}^{-2}$  for typical  $u^*$  up to  $1 \text{ cm s}^{-1}$ ). Furthermore, correlations between time series of  $\Delta T_f$  from the observations and time series reconstructed from the parameterization are correspondingly high (median  $R^2 = 0.75$ ). However,

it is also apparent from Figure 7 that the parameterization often overestimates the observed  $\Delta T_f$  in the Beaufort Gyre, but underestimates  $\Delta T_f$  in the Transpolar Drift. The parameterized  $\Delta T_f$  from the locations and times of the Transpolar Drift platforms are mostly less than the observed  $\Delta T_f$  by  $0.01\text{--}0.02^\circ\text{C}$ , and the variability between time series is less. During summer, the regional differences between the observed and parameterized  $\Delta T_f$  could be related to changes in ice concentration. However, the elevation of heat above freezing in winter is probably due to advection of heat horizontally or vertically from the subsurface Atlantic or Pacific layers.

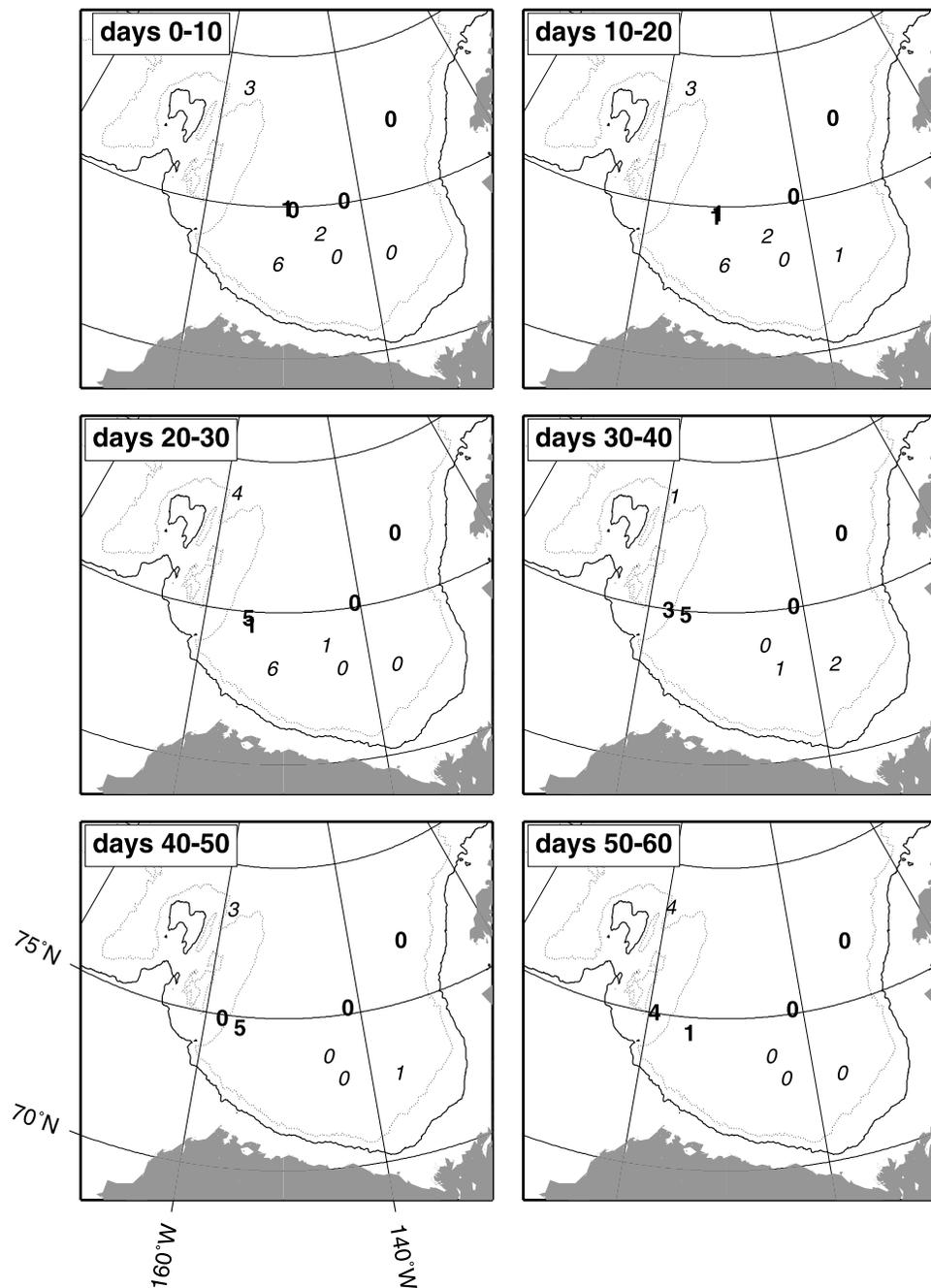
#### 4.4. $F_w$ Reconstruction

[32] The high correlation of the parameterized  $\Delta T_f$  to the observations suggests that incident solar radiation may be the primary source of the heat in the mixed layer beneath the pack ice. The observations were all obtained where mean annual ice concentrations were greater than 90%, so the results do not apply outside of the central pack. Furthermore, it is assumed that these results are representative to the basins, away from shelf processes and boundary currents. Consequently, the broad Eurasian shelf seas are not included in the study region.

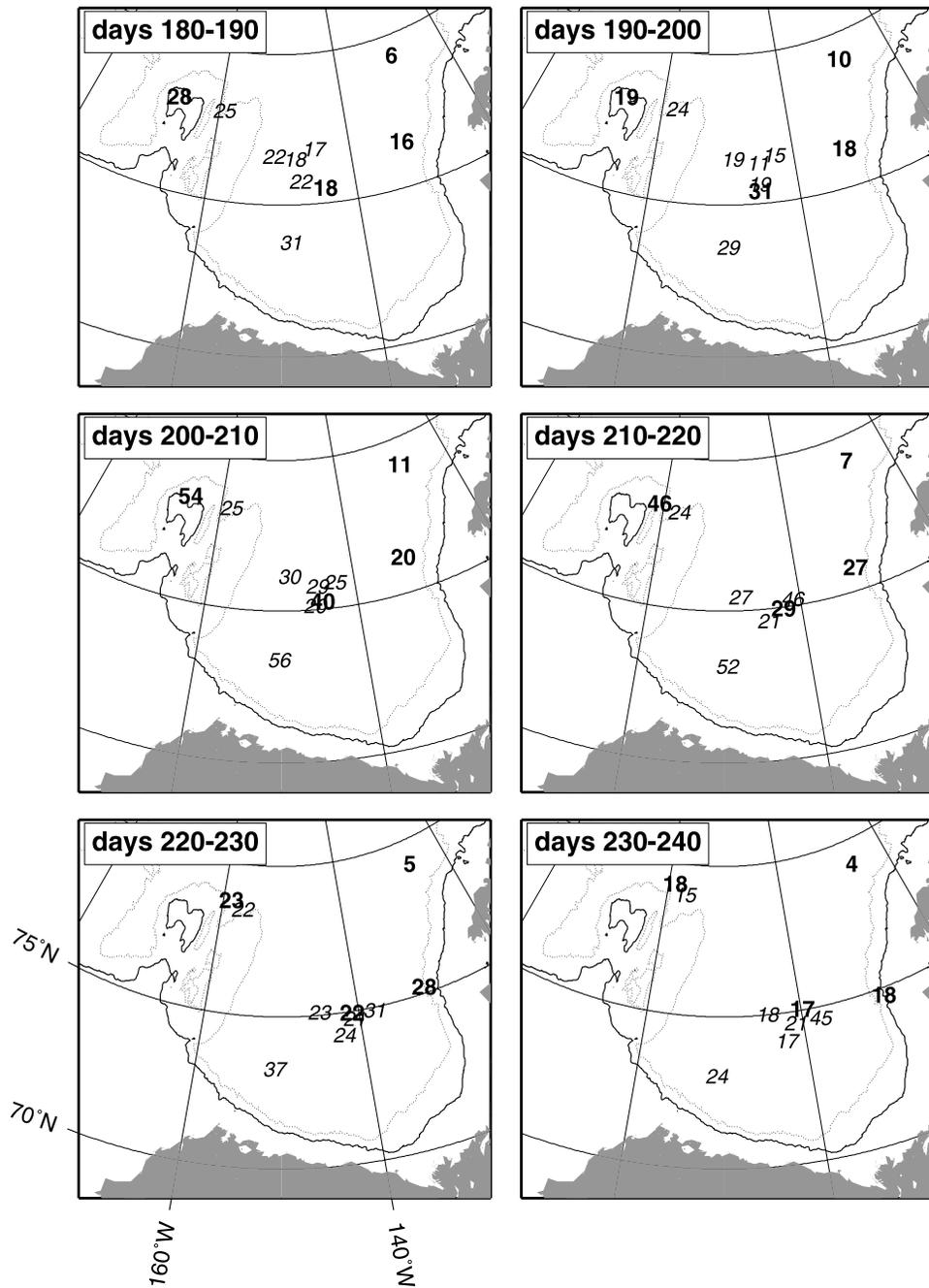
[33] Daily parameterized  $\Delta T_f$  are modulated with daily ice drift vectors for the years 1979 through 2002 from the Fowler [2003] data set to produce a time and space varying reconstruction of  $F_w$  throughout the Arctic, again using equation (3). Similar to the time series calculations, the geostrophic flow is not removed from the ice drift. Temperature and salinity data at 10 m from the monthly PHC climatology are converted to grids corresponding to the ice motion and interpolated in time to estimate  $\sigma$ , while  $c_p$  and  $c_h$  are the same constants used in the time series calculations. Since all of the seawater properties are described by a fixed annual cycle or fixed value, the interannual variations in the resulting  $F_w$  reconstruction are due solely to the ice motion dynamics.

[34] Values of  $u^*$  computed from the ice motion data set were consistently less than the observations (third row of plots in Figure 7). A least squares regression determined that the difference from the observations is minimized by scaling the square root of  $u^*$  derived from the ice vectors by a factor of 1.3 (bottom plots of Figure 7).

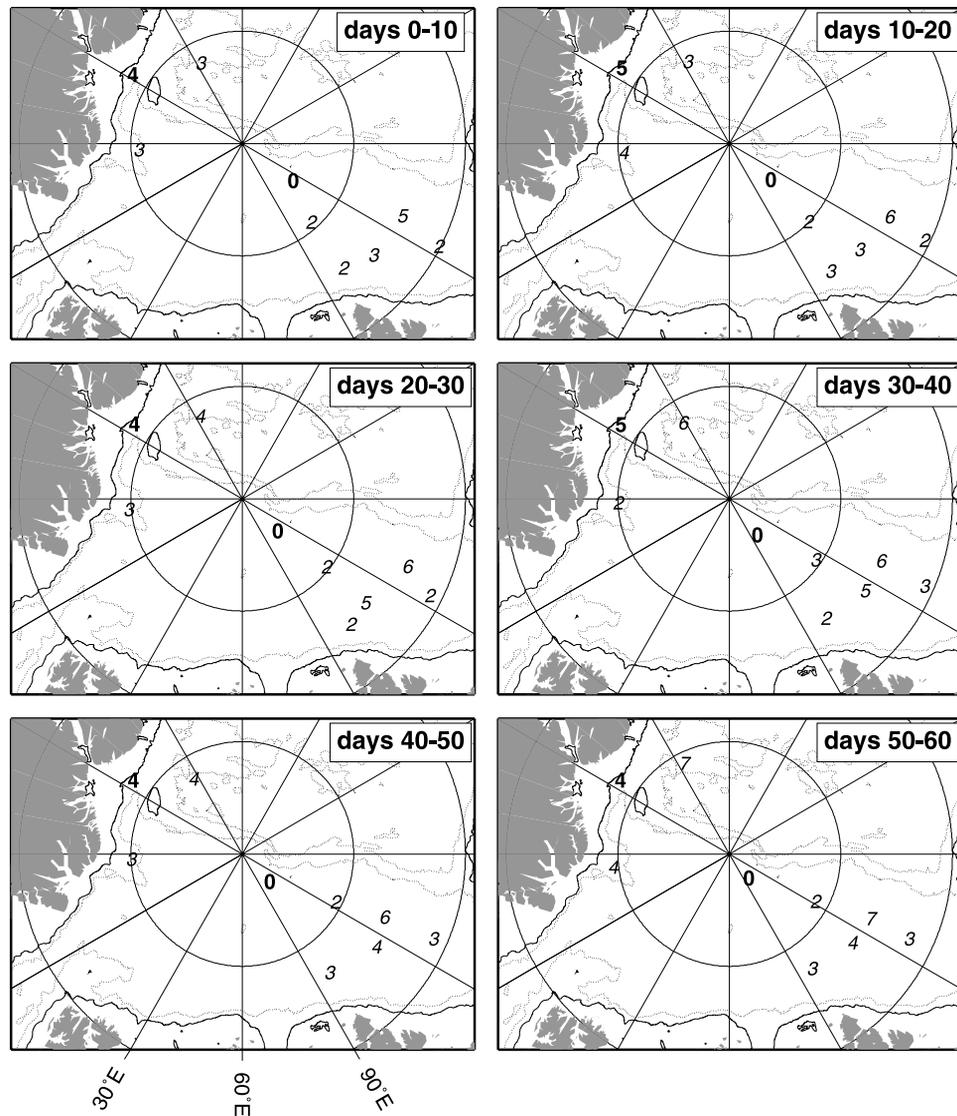
[35] Three-day mean ice concentration data from a combined SMMR and SSM/I data set based on the Bootstrap method [Comiso, 1999] were obtained from the NSIDC (available at <http://www.nsidc.colorado.edu/data/nsidc-0079.html>) and used to remove grid cells that contained less than 50% sea ice, and monthly and annual averages for all 24 years prepared from the daily  $F_w$  reconstruction (Figure 9). Because of the relationship of  $\Delta T_f$  with  $\alpha$ ,  $F_w$  increases significantly from less than  $3 \text{ W m}^{-2}$  at the North Pole to more than  $10 \text{ W m}^{-2}$  south of  $75^\circ\text{N}$ . A similar pattern is reflected in the plot of the standard deviation, which largely reflects the annual cycle of parameterized  $\Delta T_f$ . Because the basins and ice pack in the Beaufort Sea extend farther south than the remainder of the Arctic,  $F_w$  in this region are higher, and variations in the annual means from all areas largely reflect the variations in the southern Beaufort Sea. In the Transpolar Drift, which is farther north, the magnitude and variability of annual average  $F_w$  is less.



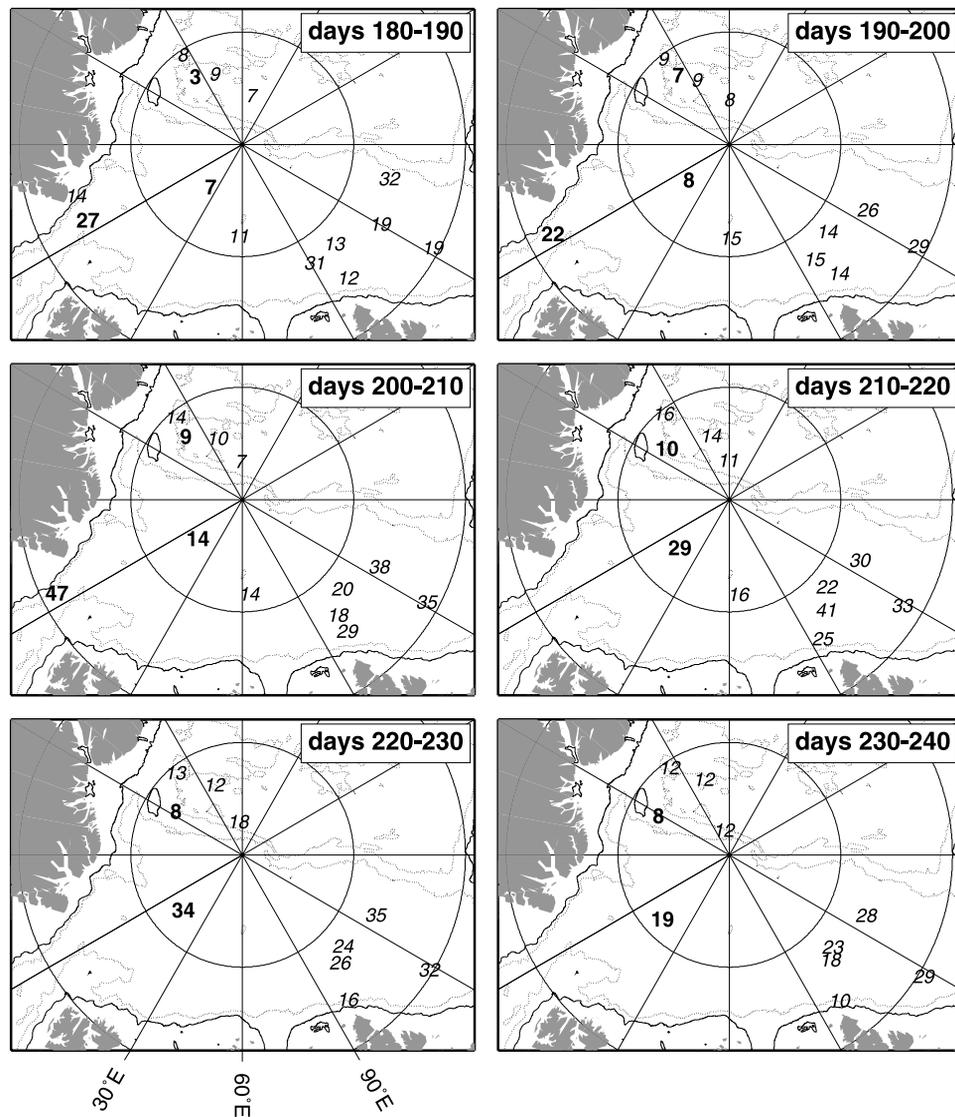
**Figure 4a.** Winter 10-day averages of  $F_w$  from observations in the Beaufort Gyre region plotted at platform mean locations. Italicized numbers are from observations before 1992, and bold numbers are from observations since 1992. Solid and dotted lines indicate 500 and 2000 m depth contours, respectively.



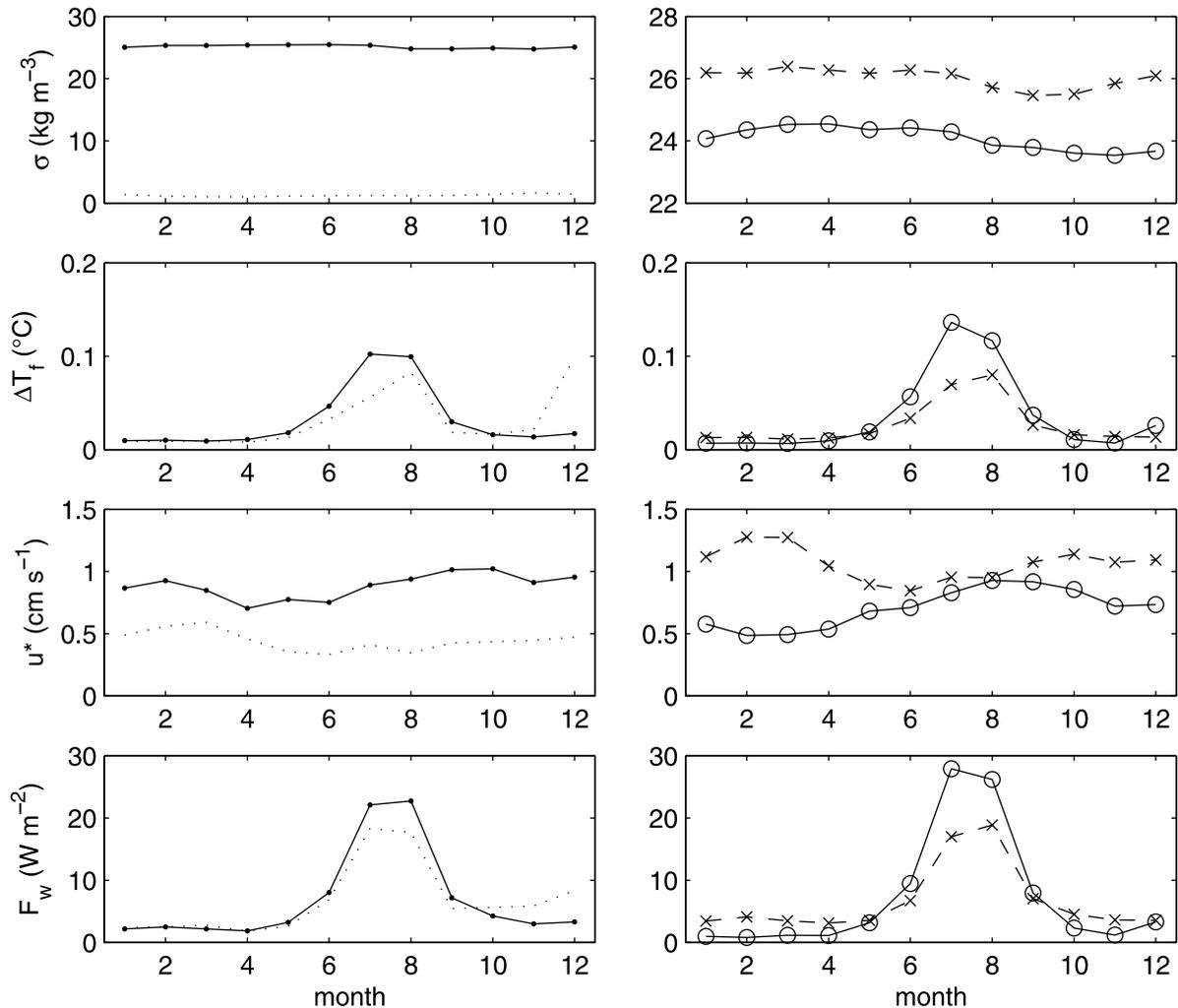
**Figure 4b.** Summer 10-day averages of  $F_w$  from observations in the Beaufort Gyre region plotted at platform mean locations. Italicized numbers are from observations before 1992, and bold numbers are from observations since 1992. Solid and dotted lines indicate 500 and 2000 m depth contours, respectively.



**Figure 4c.** Winter 10-day averages of  $F_w$  from observations in the Transpolar Drift and other regions plotted at platform mean locations. Italicized numbers are from observations before 1992, and bold numbers are from observations since 1992. Solid and dotted lines indicate 500 and 2000 m depth contours, respectively.



**Figure 4d.** Summer 10-day averages of  $F_w$  from observations in the Transpolar Drift and other regions plotted at platform mean locations. Italicized numbers are from observations before 1992, and bold numbers are from observations since 1992. Solid and dotted lines indicate 500 and 2000 m depth contours, respectively.



**Figure 5.** (left) Monthly means (solid lines) and standard deviations (dotted lines) of  $\sigma$ ,  $\Delta T_f$ ,  $u^*$ , and  $F_w$  from all platforms. (right) Monthly means from platforms in the Beaufort Gyre (circles) and Transpolar Drift (crosses).

[36] Correlations of  $F_w$  from the parameterized reconstruction with  $F_w$  derived from the observations are moderate (median  $R^2 = 0.52$ ). On average, the magnitudes of the mean annual and deviation determined from the observations exceed the magnitudes determined from the reconstruction at the same times and locations by 2–3  $\text{W m}^{-2}$  (Table 2). Comparison of the observations with the reconstruction indicates that  $F_w$  in the Beaufort Gyre is enhanced compared to the Transpolar Drift, where  $F_w$  from the parameterization is less than the observations, primarily due to elevated  $\Delta T_f$  observations in winter.

#### 4.5. Residual Correction

[37] The residuals that result from the difference of the  $\Delta T_f$  parameterization from observations include measurement errors, parameterization errors, and all effects that influence the mixed layer heat other than the solar angle, such as cloud properties, sea ice concentration, albedo, and internal ocean variability. Monthly averages of the residuals of  $F_w$  in the Beaufort Gyre and Transpolar Drift regions are plotted in Figure 10, and annual averages are also presented in Table 2.  $F_w$  from observations are less than reconstructed in the Beaufort Gyre, but more in the Transpolar Drift, and

the differences in the Transpolar Drift appear to lag the differences in the Beaufort Gyre.

[38] Summer  $F_w$  from observations in the Beaufort Gyre are typically less than  $F_w$  from the reconstruction. On the other hand, in the winter Transpolar Drift data, there is a constant positive difference of  $F_w$  from observations versus the reconstruction which is probably a component of heat mixed from below or advected from the perimeter. Consequently, mean annual  $F_w$  is overestimated by 1.2  $\text{W m}^{-2}$  in the Beaufort Gyre region and underestimated by 3.1  $\text{W m}^{-2}$  in the Transpolar Drift (Table 2). Differences of these magnitudes are significant, so that the estimates from the parameterized  $F_w$  reconstruction must be adjusted accordingly.

[39] Besides the solar angle, the open water fraction is also expected to influence  $F_w$  significantly. Part of the open water fraction is probably dependent on the solar angle, so part of the connection with  $F_w$  is implicitly included in the reconstruction. However, open water fraction depends on other factors besides solar angle, so could be a source of other interannual variability. In order to determine whether the residual differences could be simply correlated to the presence of the ice pack (which has large effects on the

**Table 2.**  $F_w$  From Observations and Reconstructions, Corrected and Adjusted

Years	BGY	TPD	ALL
<i>Observations</i>			
1975–1976	6.0		
1979–1986	11.9	7.5	10.4
1987–1991	3.0	7.3	7.8
1992–2001	5.7	7.1	5.4
<b>Mean</b>	<b>6.6</b>	<b>7.3</b>	<b>6.9</b>
std	8.5	7.0	7.5
<i>Reconstruction</i>			
<b>Mean</b>	<b>8.8</b>	<b>4.2</b>	<b>5.6</b>
std	10.4	3.4	5.7
<i>Residuals</i>			
<b>Mean</b>	<b>-1.8</b>	<b>3.1</b>	<b>1.4</b>
std	2.4	4.0	2.0
<i>Corrected Reconstruction<sup>a</sup></i>			
1979–1986	5.1	4.3	4.2
1987–1991	4.9	5.0	4.5
199–2001	5.7	5.1	4.8
2002	4.3	4.4	3.9
<b>Mean</b>	<b>5.3</b>	<b>4.8</b>	<b>4.5</b>
std	6.7	3.7	4.9
<i>Roughness Adjusted</i>			
$z_0 = 0.03$ m	4.4	4.0	3.8
<b><math>z_0 = 0.01</math> m</b>	<b>3.9</b>	<b>3.5</b>	<b>3.3</b>
$z_0 = 0.005$ m	3.6	3.3	3.1

<sup>a</sup>BGY sector is between 120°W and 180° and south of 83°N; TPD sector is between 30°W and 150°W.

sensible and latent transfers of heat between the ocean and atmosphere, as well as albedo), anomalies of ice concentration from the satellite data were compared to the residuals, but no consistent patterns were evident. Only in some cases did a large ice concentration anomaly correspond to a large residual.

#### 4.6. Corrected Reconstruction

[40] Observations provide time series of heat and velocity at various locations through the Arctic Ocean, while the parameterized reconstruction fixes the annual cycle of heat to the solar angle, and varies  $u^*$  according to an optimally interpolated atlas of ice velocities. Temporal and regional averages from observations provide the most precise information, but represent only certain times and locations. The reconstruction expands the geographic extent and frequency of the data, but varies only because of the dynamic component. To account for some of the time varying thermodynamic changes, the residual differences from the observations are merged with the reconstruction. By combining the information from both data sets, both the spatial structure and temporal variability of  $F_w$  to the Arctic pack ice are better resolved.

[41] Monthly mean  $F_w$  from the reconstruction are adjusted by adding a portion of smoothed 3-month averages of residuals separately for the Beaufort Gyre and Transpolar Drift regions (Figure 10). Simple bathymetric considerations prompted the selection of the boundaries (Figure 1). The Beaufort Gyre region (between 120°W and 180° and south of 83°N) is bounded approximately by the Northwind Ridge to the west, the Alpha Ridge to the north, and the continental shelves. The northern limit of the Transpolar

Drift sector (between 30°W and 150°W) is approximately delineated by the Lomonosov Ridge. Only one platform obtained observations between these regions (in the Lincoln Sea), and the monthly average residuals from that system were only slightly positive and relatively constant throughout the year. Therefore no correction is applied to the reconstruction in the area between the Beaufort Gyre and Transpolar Drift regions (encompassing the Mendeleev Basin and Lincoln Sea).

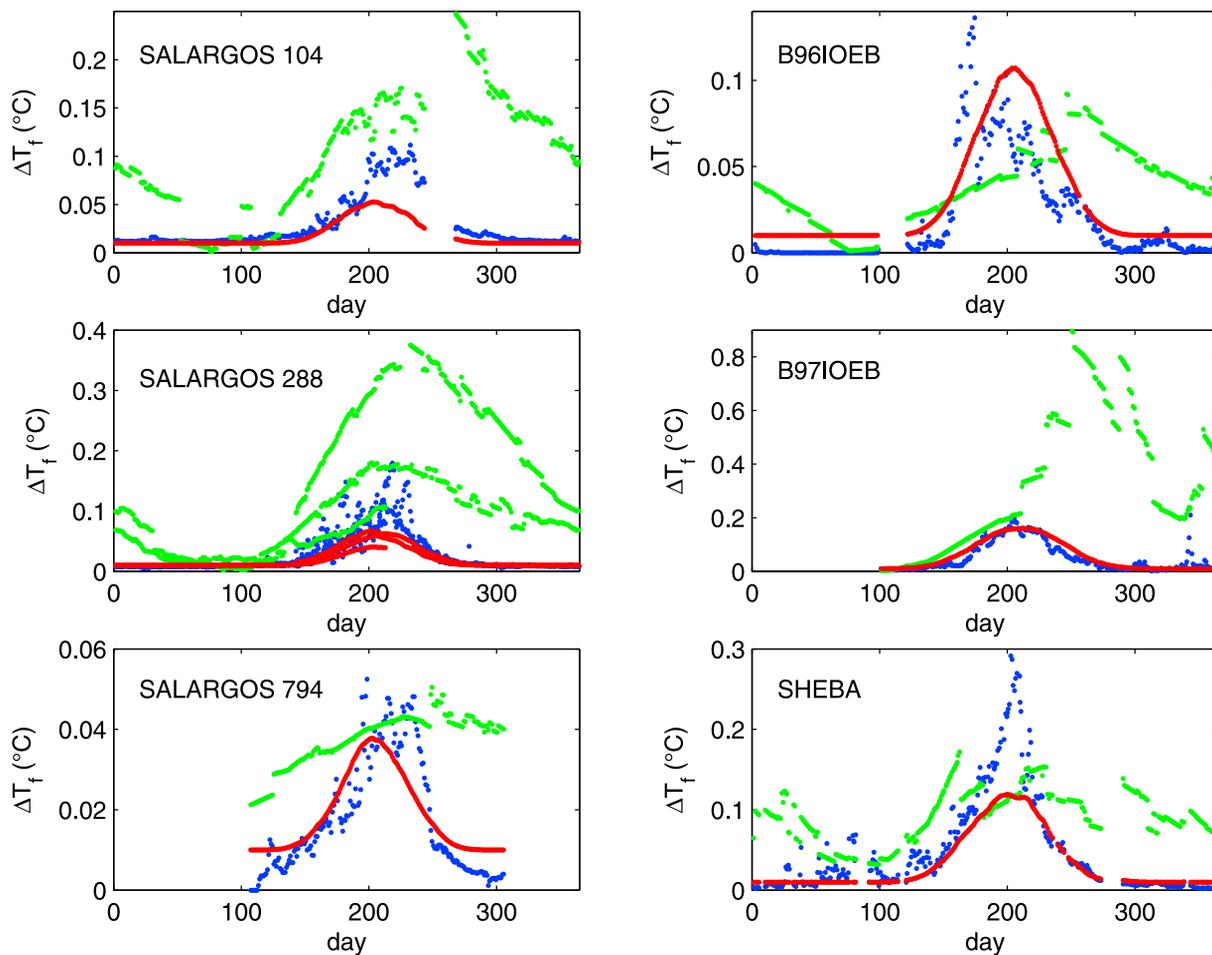
[42] After merging with the residuals, the mean difference between monthly averages of  $F_w$  from observations and monthly averages of  $F_w$  from the reconstruction is 0.3 ( $\pm 0.5$ )  $W m^{-2}$ , so that on average the corrected reconstruction may slightly underestimate the observations. For the longer timescales corresponding to the duration of the drift of individual platforms, average  $F_w$  from the corrected reconstruction are within 25% of the observed averages (at the 95% confidence level).

[43] The large-scale spatial characteristics of the corrected reconstruction of  $F_w$  are presented in Figure 11. The mean annual and standard deviation are mapped in the top panels, while mean anomalies for different multiyear periods are shown in the bottom panels. While there is still a large dependence on the relationship of  $\Delta T_f$  with  $\alpha$  in the corrected reconstruction, the variation is reduced and the pattern of  $F_w$  is less symmetric than in the uncorrected reconstruction. Similar changes are reflected in the plot of the standard deviation. Mean annual, and multiyear averages were calculated for all areas covered by the grid, and separately for the Beaufort Gyre and Transpolar Drift regions (Table 2).

#### 4.7. Comparison of Annual $F_w$ Estimates With Ice Mass Balance Measurements

[44] So far, annual estimates of the magnitude of  $F_w$  for different regions and times have been computed from the observations and the parameterized reconstruction. Because the distribution of the observations in space and time is sparse, the reconstruction was used to extrapolate these estimates throughout the whole Arctic Ocean. A portion of the residuals determined from differences from the observations fine-tunes the reconstruction in separate Arctic regions. From the corrected reconstruction the annual average  $F_w$  throughout the extent of the multiyear ice pack is estimated to be 4.5  $W m^{-2}$ . To validate the accuracy of this estimate, these results are compared with concurrent determinations of  $F_w$  from ice thermistor profiles (Table 3) and other published results. Furthermore, the effect of the roughness parameter on the accuracy of the estimate is considered.

[45] Ice thermistor strings provide data for estimating the conductive, latent and specific heat fluxes to the bottom of the ice floe, which are combined so that  $F_w$  results. The latent and specific heat associated with ice growth and ablation are the most critical components of the equation, so that errors in measuring the position of the ice bottom are significant. Averaging time periods of a month or more reduces the error of the estimate to better than 1  $W m^{-2}$ , but also reduces the frequency of the observations. *Maykut and McPhee* [1995] report 3.5  $W m^{-2}$  from ice mass balance measurements in AIDJEX, and noted that estimates using hydrographic measurements were 50% greater (5.1  $W m^{-2}$ ).



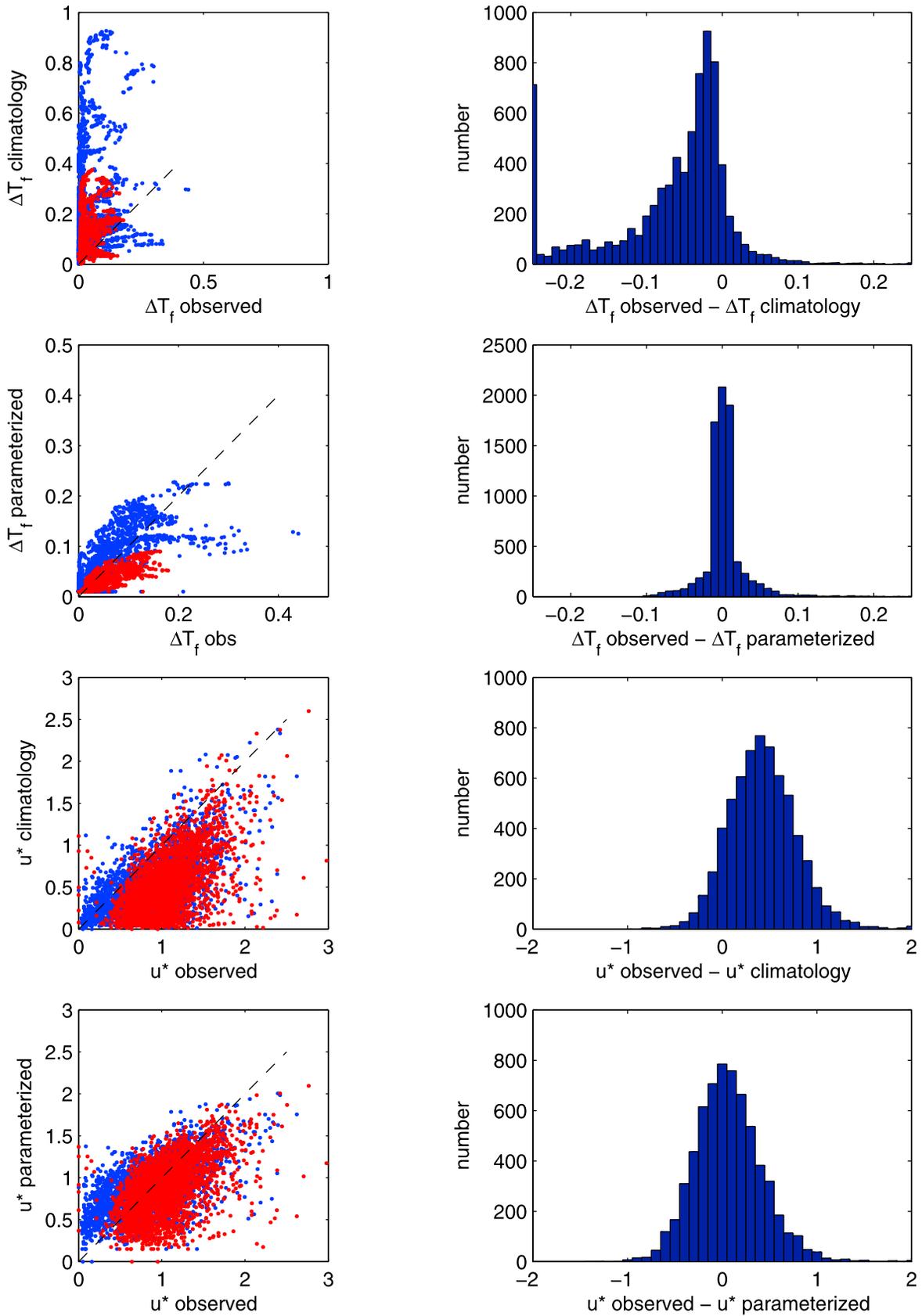
**Figure 6.** Annual cycle of  $\Delta T_f$  at selected stations from observations (blue), climatology (green), and parameterization (red). (left) Platforms from the Transpolar Drift region and (right) platforms from the Beaufort Gyre. Note that the vertical scales are different for each platform.

Here, an independent means of estimating  $F_w$  from mass balance measurements of sea ice is provided by several automated platforms in the 1990s and early 2000s (Table 3). Most indicate mean annual averages between 2 and 4  $\text{W m}^{-2}$  (only the SHEBA experiment provided an annual average of 8  $\text{W m}^{-2}$ ). Four of the platforms are in the Beaufort Gyre, and two of the platforms were J-CADs deployed in the Transpolar Drift as part of the North Pole Environmental Observatory [Morison *et al.*, 2002; McPhee *et al.*, 2003].

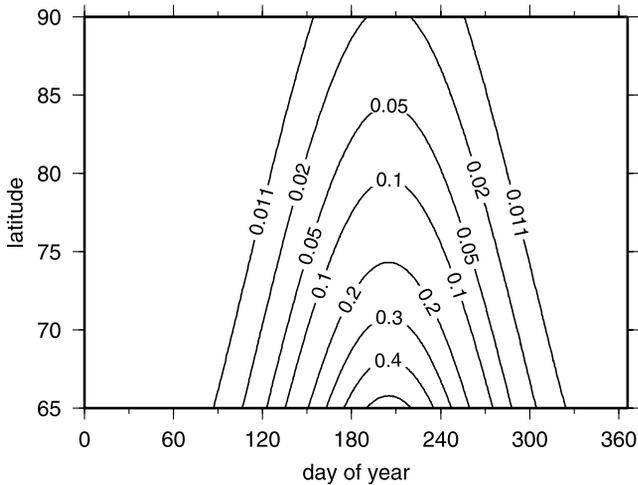
[46] Data from the SIMI ice camp in the Beaufort Sea in 1993–1994 [Perovich *et al.*, 1997] furnish an annual average  $F_w$  of 4  $\text{W m}^{-2}$ , ranging from zero in the winter, to 5  $\text{W m}^{-2}$  in the spring and fall, and a maximum of 9  $\text{W m}^{-2}$  averaged through the summer. Ice thermistor data from an IOEB circulating in thick ice in the Beaufort Gyre in 1996 and 1997 average between 2 and 3  $\text{W m}^{-2}$ . The region that the IOEB occupied in 1996 in the northeast Canadian Basin was an area of heavy ice conditions and consequently less open water, which may explain the low  $F_w$  (2.2  $\text{W m}^{-2}$ ) in 1996. Maximum  $\Delta T_f$  was only about 0.10°C, and peaks of  $F_w$  were only 10–15  $\text{W m}^{-2}$ . The following year,  $F_w$  from the hydrographic data is several  $\text{W m}^{-2}$  larger than  $F_w$  from the ice data, while during the

SHEBA year very high  $F_w$  prevailed [Perovich and Elder, 2002]. Thick multiyear ice floes averaged 7.5–8  $\text{W m}^{-2}$ , ponded ice averaged 10  $\text{W m}^{-2}$ , and ridged ice 12  $\text{W m}^{-2}$ . In the Transpolar Drift in 2000 and 2002, ice mass balance data from the North Pole Environmental Observatory average 3  $\text{W m}^{-2}$  while simultaneous hydrographic observations from J-CAD buoys indicate mean annual  $F_w$  between 5 and 6.5  $\text{W m}^{-2}$  (in the study by McPhee *et al.* [2003], the same data from the 2002 system yield mean annual  $F_w$  equal to 2.6  $\text{W m}^{-2}$  using reduced roughness length, and assuming zero  $F_w$  in winter). In general, in the late 1990s and early 2000s,  $F_w$  averages from the ice mass balance method appear to be less than averages from the hydrographic measurements by about one third (33%).

[47] Previously reported measurements of  $F_w$  in the multiyear ice pack for short time periods were made from Fram 1979 [McPhee and Untersteiner, 1982] where  $F_w$  was less than 2  $\text{W m}^{-2}$  during spring, and on automated buoys during and after CEAREX [Perovich *et al.*, 1989; Steele and Morison, 1993] which show elevated fluxes near the perimeters where the ice pack exits the Arctic. Results from several ice thermistor sites distributed throughout a single ice floe during CEAREX by Wettlaufer [1991] show large variability (between 0 and 37  $\text{W m}^{-2}$ ) in spatial scales of



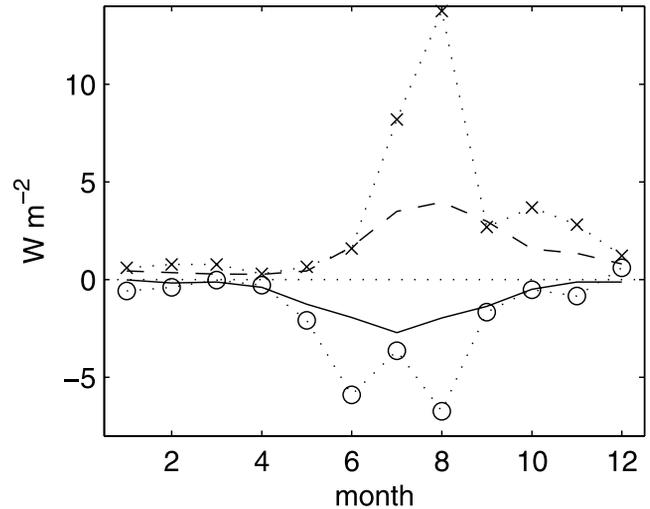
**Figure 7.** (left) Scatterplots of  $\Delta T_f$  and  $u^*$  from observations versus the corresponding values from climatologies and parameterizations. Data from the Beaufort Gyre are blue, and data from Transpolar Drift are red. (right) Histograms of differences between  $\Delta T_f$  and  $u^*$  from observations and climatologies and parameterizations.



**Figure 8.** Parameterized  $\Delta T_f$  ( $^{\circ}\text{C}$ ) as a function of  $\alpha$ , by day of year and latitude.

only 10–100 m during autumn. This variability can be explained in the planetary boundary layer model by changes in roughness ( $z_0$ ) across the bottom topography of the ice floes that are related to the turbulent exchange at the ice-ocean interface [McPhee, 1992]. The present parameterization from hydrographic measurements uses a roughness length  $z_0 = 0.1$  m derived during AIDJEX, but recent evidence suggests that  $z_0$  may be as small as 0.005 m (for the smooth ice during SHEBA; McPhee [2002]), so  $z_0 = 0.01$  m has been suggested as more representative of mean ice conditions [McPhee et al., 2003]. Lowering  $z_0$  to 0.01 m reduces  $F_w$  calculated from the hydrography by 27%, and lowering to 0.005 m by 32% (Table 2).

[48] Therefore  $F_w$  from hydrographic observations compare favorably to  $F_w$  from ice mass balance measurements when  $z_0$  is between 0.005 and 0.01 m. Considering that the ice mass balance method may miss peaks in  $F_w$ , the best average  $F_w$  in the Arctic is probably conservatively

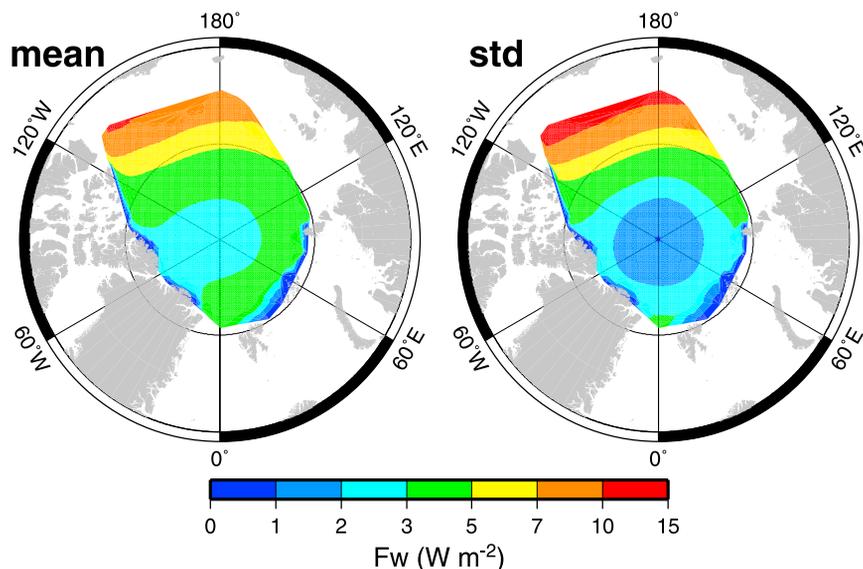


**Figure 10.** Monthly differences (residuals) of observed minus reconstructed  $F_w$  ( $\text{W m}^{-2}$ ), in the Beaufort Gyre (circles) and Transpolar Drift (crosses) regions. Solid and dashed lines equal one half of the 3-month average for the respective regions and indicate the monthly correction that is applied to the reconstruction for each region.

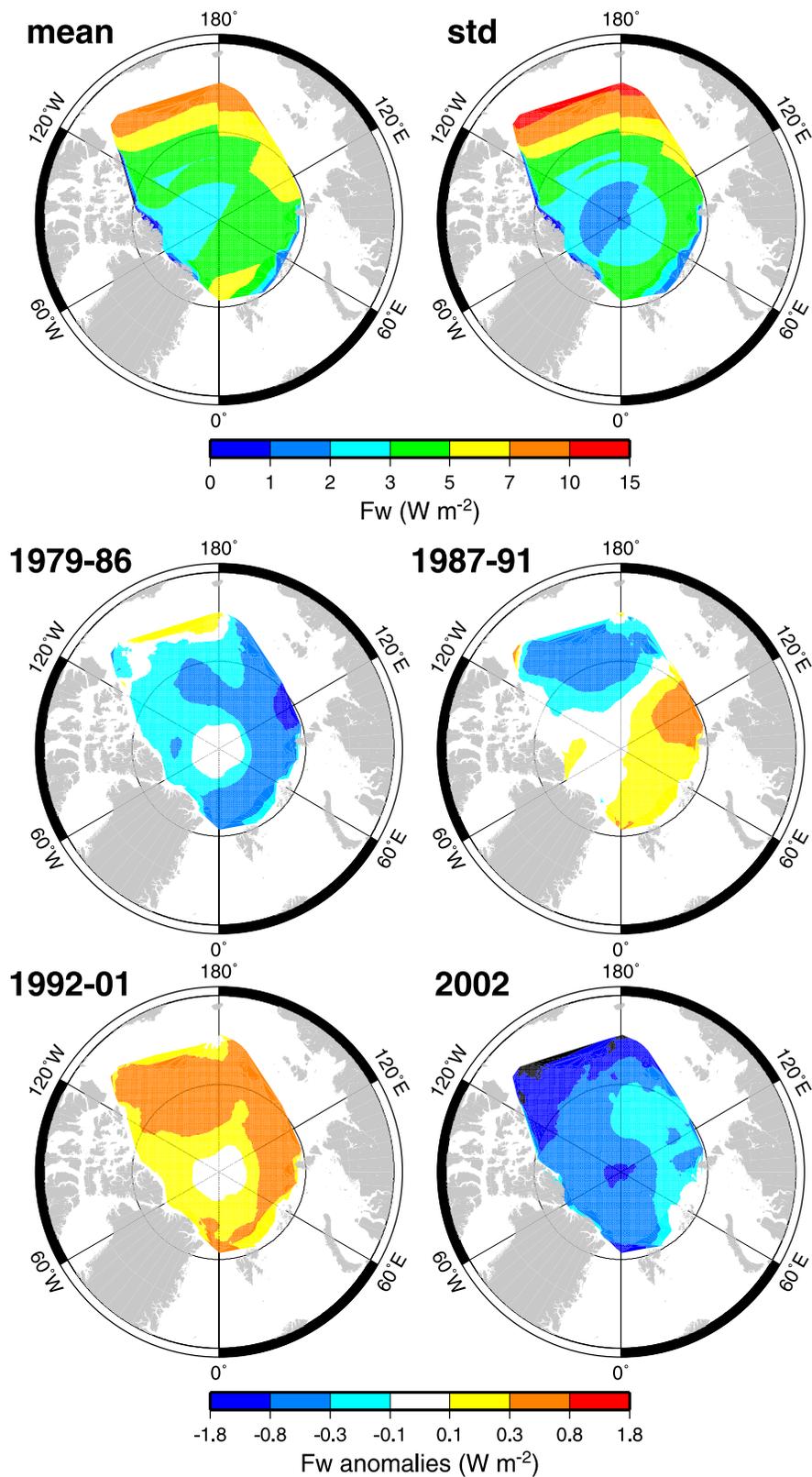
described from hydrographic measurements when  $z_0$  equals 0.01 m. Applying this adjustment to the  $4.5 \text{ W m}^{-2}$  estimate from the corrected reconstruction yields a basin-wide average of  $3.3 \text{ W m}^{-2}$  (Table 2).

#### 4.8. Multiannual and Interannual Variability

[49] Multiyear average  $F_w$  anomalies from the reconstruction reflect only the contribution due to variations of the ice motion. Prior to 1987, the 8-year average of  $F_w$  anomalies due to the ice drift are below the climatological mean by several tenths  $\text{W m}^{-2}$  throughout the Arctic (Figure 11). Between 1987 and 1991,  $F_w$  anomalies in the Canadian Basins remain below the mean, but are elevated above the



**Figure 9.** Annual means and standard deviations of  $F_w$  ( $\text{W m}^{-2}$ ) using parameterized  $\Delta T_f$  estimates and  $u^*$  from daily ice motions.



**Figure 11.** Annual means and standard deviation of reconstructed  $F_w$  ( $\text{W m}^{-2}$ ) using parameterized  $\Delta T_f$  estimates (corrected) and  $u^*$  from daily ice motions. The mean anomalies for four different multiyear periods are shown in the bottom plots.

**Table 3.** Comparison of Coincident  $F_w$  Estimates From Ice Thermistors ( $F_i$ ), Mixed Layer Observations ( $F_w$ ), and Corrected Reconstruction ( $F_{pc}$ )

Years	Days	$F_i$	$F_w$	$F_{pc}$
<i>Beaufort Gyre</i>				
SIMI 1994	250	4.4		9.4
IOEB 1996–1997	324	2.2	2.4	4.5
IOEB 1997–1998	237	3.0	6.1	6.6
SHEBA 1997–1998	323	8.4	8.4	6.8
<i>Transpolar Drift</i>				
NP 2000–2001	273	3.0	6.5 <sup>a</sup>	4.3
NP 2001–2002	237	3.0	5.2 <sup>a</sup>	3.1

<sup>a</sup>CTD depth adjusted from 25 m to 10 m.

mean by about the same amount in the Eurasian Basins. After 1991 through 2001,  $F_w$  anomalies due to the ice motion exceed the climatological mean throughout the Arctic. Reduced ice motion in 2002 indicates a return to lower than average  $F_w$  everywhere, especially in the southern Beaufort Sea.

[50] The temporal variability is illustrated more clearly in Figure 12, which plots the 24-year time series of annual mean  $F_w$  for the entire Arctic from the parameterized reconstruction (corrected and adjusted for  $z_0 = 0.01$  m) in the top plot, and de-meaned time series of interannual variations for selected regions in the bottom panel. Minimum average  $F_w$  occurs around 1984, and maximum in 1993, with a spread exceeding  $1 \text{ W m}^{-2}$  and an apparent trend of  $0.2 \text{ W m}^{-2} \text{ decade}^{-1}$ . Interannual variability is greatest in the Beaufort Sea sector south of  $75^\circ \text{ N}$ . There is also some indication of a step change occurring around 1990, which coincides with the well documented change of the Arctic Oscillation to a positive state [Walsh et al., 1996].

[51] In the Transpolar Drift, the existence of the cold halocline is believed to isolate the Atlantic layer heat from reaching the ice pack directly. Consequently, the retreat and recovery of the halocline [Steele and Boyd, 1998; Björk et al., 2002; Boyd et al., 2002] could influence  $F_w$  particularly in the transition region over the Amundsen and Makarov Basins.

## 5. Discussion

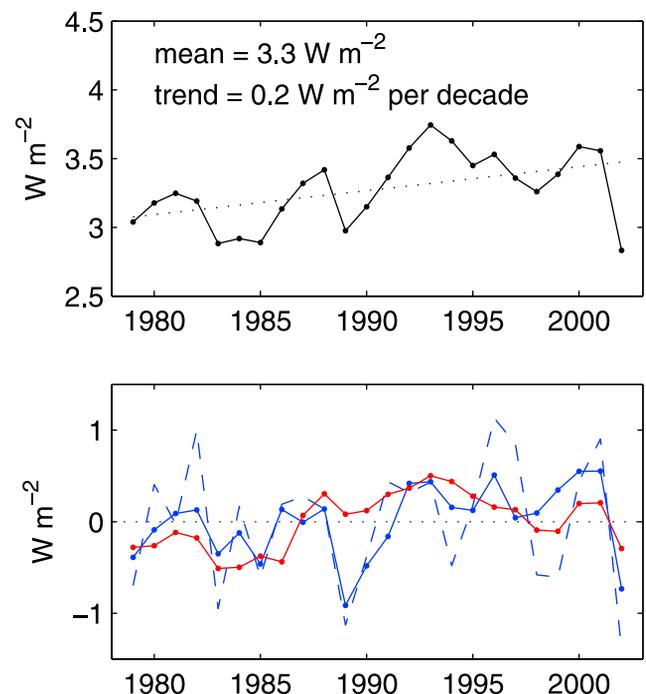
[52] Observations from drifting buoys indicate that there is a significant relationship of the angle of the sun ( $\alpha$ ) with  $\Delta T_f$  in the upper ocean under the Arctic ice pack. Maykut and McPhee [1995] suggested that most the heat of the mixed layer enters as solar radiation through leads in the ice pack rather than being diffused upward from below. Supporting a solar association, the present study indicates that most (75%) of the annual variability of  $F_w$  can be attributed to the solar angle,  $\alpha$ . As a result,  $F_w$  from the upper ocean to the ice depends strongly on latitude. On the basis of a combination of observations, climatological data and parameterizations, annual  $F_w$  probably averages  $3\text{--}4 \text{ W m}^{-2}$  throughout the Arctic Ocean icepack.

[53] This estimate is more than the  $2 \text{ W m}^{-2}$  that was required in model simulations to equilibrate a perennial ice thickness of 3 m [Maykut and Untersteiner, 1971]. However, it is more consistent with other recent estimates of  $F_w$  from observations such as those by Maykut and McPhee

[1995], Perovich et al. [1997], and McPhee et al. [2003]. Presumably, some of the  $F_w$  in excess of  $2 \text{ W m}^{-2}$  is used to melt ice ridges (where  $z_0$  would be larger). On the other hand, Maykut and Untersteiner [1971] indicate that increasing  $F_w$  from 2 to  $3 \text{ W m}^{-2}$  would decrease the equilibrium ice thickness from 3 m to about 2.1 m. Interestingly, this is exactly the same amount of ice thinning as detected by Rothrock et al. [2003].

[54] Since the Beaufort Gyre is located farther south than the Transpolar Drift, greater summer  $\alpha$  means greater area average  $F_w$ , especially in the southern Beaufort Gyre. On the other hand, winter  $F_w$  that cannot be ascribed to  $\alpha$  is  $1\text{--}2 \text{ W m}^{-2}$  in the Transpolar Drift, and is usually negligible (but not always) in the Beaufort Gyre. One explanation for winter  $F_w$  is that locally intense fluxes of heat to the surface may be entrained from below by synoptic storms [Steele and Morison, 1993; Yang et al., 2001].

[55] The Beaufort Gyre is also where the greatest inter-annual variability in  $F_w$  is located, in both the observations and the reconstruction. In the reconstruction, variations in ice drift velocity in the Beaufort Gyre from the 1980s to the 1990s increase  $F_w$  by as much as  $1 \text{ W m}^{-2}$ , coincident with the positive shift of the Arctic oscillation [Walsh et al., 1996]. Increased  $F_w$  in the Beaufort Sea means increased ice melt, consistent with upper ocean freshening described by McPhee et al. [1998]. In fact, in 1998, the circulation regime shifted from cyclonic to anticyclonic [Proshutinsky and Johnson, 1997], and the ice cover in the west Arctic



**Figure 12.** (top) Annual average  $F_w$  from parameterized reconstruction (corrected and adjusted for  $z_0 = 0.01$  m) in all basins (solid) with trend (dotted). (bottom) De-meaned annual  $F_w$  in the Beaufort Sea sector (blue, between  $120^\circ \text{ W}$  and  $180^\circ$  and south of  $83^\circ \text{ N}$ ), in the southern Beaufort Sea sector (blue dashed, between  $120^\circ \text{ W}$  and  $180^\circ$  and south of  $75^\circ \text{ N}$ ), and in the Transpolar Drift sector (red, between  $30^\circ \text{ W}$  and  $150^\circ \text{ E}$ ).

was at a minimum [Maslanik *et al.*, 1999; Comiso *et al.*, 2003]. Several years later (in 2002), our results indicate a reduction of  $F_w$  to the icepack, but at the same time as a record minimum sea ice extent was recorded throughout the entire Arctic [Serreze *et al.*, 2003].

[56] The influence of under-ice melt ponds on  $F_w$  was not addressed in this study, but recent observations and modeling [Notz *et al.*, 2003] suggest that these features could have substantial local impacts on (decreasing) the bulk heat transfer coefficient ( $c_h$ ) in summer. An improved determination of large-scale  $F_w$  to the Arctic ice pack will require more year-round data from upper ocean observing platforms, and a better understanding of the spatial and temporal variabilities of ice roughness ( $z_0$ ) and melt ponds (on  $c_h$ ).

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