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Plankton reach new heights in effort to avoid predators
Brad J. Gemmell1,*, Houshuo Jiang2, J. Rudi Strickler3 and Edward J. Buskey1

1Marine Science Institute, University of Texas at Austin, 750 Channel View Dr, Port Aransas, TX 78373, USA
2Woods Hole Oceanographic Institution, Mailstop 11, Woods Hole, MA 02543, USA
3WATER Institute, University of Wisconsin Milwaukee, 600 East Greenfield Avenue, Milwaukee, WI 53204, USA

The marine environment associated with the air–water interface (neuston) provides an important food source to pelagic organisms where subsurface prey is limited. However, studies on predator–prey interactions within this environment are lacking. Copepods are known to produce strong escape jumps in response to predators, but must contend with a low-Reynolds-number environment where viscous forces limit escape distance. All previous work on copepod interaction with predators has focused on a liquid environment. Here, we describe a novel anti-predator behaviour in two neustonic copepod species, where individuals frequently exit the water surface and travel many times their own body length through air to avoid predators. Using both field recordings with natural predators and high-speed laboratory recordings, we obtain detailed kinematics of this behaviour, and estimate energetic cost associated with this behaviour. We demonstrate that despite losing up to 88 per cent of their initial kinetic energy, copepods that break the water surface travel significantly further than those escaping underwater and successfully exit the perceptive field of the predator. This behaviour provides an effective defence mechanism against subsurface-feeding visual predators and the results provide insight into trophic interactions within the neustonic environment.

Keywords: predation; neuston; aerial escape; copepod; fish; perceptive field

1. INTRODUCTION
Copepods are among the most abundant metazoans on the planet [1,2], and are known to be important prey for fish [3–6] and other marine organisms [7,8]. The copepod’s role in marine food webs makes their behavioural adaptations to predation important to understand. The neustonic environment consists of the upper few millimetres of water associated with the air–water interface. This environment is often characterized by elevated biomass and numbers of organisms relative to the water beneath [9], and it provides food to higher trophic levels such as fish [10]. Pontellid copepods are a ubiquitous group often found in neustonic environments, and adults are known to reside during daylight hours in the brightly lit surface water of coastal oceans [11].

Many planktonic organisms residing in the photic zone have nearly transparent bodies, which are assumed to reduce conspicuousness to visual predators [12]. However, species that live in close proximity to the water surface (neuston) are often highly pigmented, including copepods [13]. Pigmentation in copepods has been demonstrated to reduce the effects of damaging UV radiation [14,15] and may play a similar role in pontellids. These copepods are also large in comparison with many other copepod taxa [16]. This large size, combined with pigmentation, makes these copepods more visually conspicuous, and thus should be preferred by visual fish predators [17,18].

One of the mechanisms by which copepods are known to avoid fish predators is through the use of powerful escape jumps [19–22]. These escape jumps are present throughout development [23,24] and can generate speeds of up to 800 mm s−1 and accelerations of up to 200 m s−2 [20]. The interaction of copepods and their natural predators has been investigated in a liquid medium [22,25,26]. However, aerial escapes have never been investigated for a planktonic organism, but may have significant ecological and evolutionary implications for the wide variety of species that live and feed within the surface layer of the ocean.

Reports of copepods breaking through the water surface occurred as early as the late nineteenth century [27]. The observer hypothesized that the leaps into the air and subsequent re-entry into the water functioned as a mechanism to assist with moulting, by jarring them loose from their old exoskeleton. A later report of aerial copepod jumps proposed an anti-predator mechanism [28], but the function of this behaviour remained hypothetical.

Using field video recordings and high-speed video in the laboratory, we demonstrate that aerial jumps provide an effective escape mechanism in response to visual fish predators. Kinematic analysis of this little-known behaviour reveals a significant energetic cost of breaking the water surface, yet this aerial escape behaviour still provides a net energy saving relative to an escape performed solely underwater. These findings provide insight into how this group of animals can be successful in a pelagic environment where they appear conspicuous and easily targeted by visual predators.
2. MATERIAL AND METHODS

(a) Field recordings

Field recordings were made using a hand-held video recorder at 30 frames s⁻¹ (Sony Handycam CCD-TR3300) above the water surface. Recordings were edited in Adobe PREMIER PRO to maximize distinction between copepods and the surrounding water by adjusting both brightness and contrast. Two-dimensional escape kinematics in response to fish predators was obtained using IMAGEJ v. 1.43 software. Statistical analysis for both laboratory and field recordings was performed using SIGMAPLOT v. 11.0 (Systat Software Inc.).

Field recordings of the copepod Anomalocera ornata interacting with juvenile mullet (Mugil cephalus) were performed for 15 min at the University of Texas Marine Science Institute marina, and escape responses from 89 individuals were obtained during analysis. The movement of the camera required to follow individual fish interacting with copepods made simple size and distance calibrations inappropriate. Instead, we captured and measured 22 of the juvenile M. cephalus that were in the location of the video recordings and the resulting standard length of 24.2 mm (s.d. 1.96) was used to scale the video frames during kinematic analysis. This method does not provide the finest spatial resolution, but allows a reasonable approximation of both distance and velocity. It should be noted that the calculated kinetic values represent minimum estimates of both velocity and distance, since recordings were based solely in an x–y plane normal to the camera lens, so any z component of motion was not accounted for. Therefore, velocity and distance are probably underestimated, but this effect is minimal for the laboratory studies since the narrow (4 cm width) aquarium limited movement in the z plane.

(b) Laboratory recordings

Copepods (Labidocera aestiva) were collected from inshore waters of the northern Gulf of Mexico (27°50′19″N, 97°3′8″W) using a 0.5 m diameter plankton net (150 μm mesh). Approximately 50 individuals were placed in a small, narrow rectangular acrylic aquarium (2 × 4 × 20 cm) filled to 50 per cent capacity with filtered seawater. A high-speed camera (Redlake MotionMeter model 1140-0003) equipped with a Nikon Nikkor 55 mm lens was used to capture the escape behaviour. Dark-field illumination was provided by infrared light emitting diodes (peak wavelength 890 nm). The copepod escape jumps were recorded at 250–500 frames s⁻¹. After 10 recordings, copepods were replaced with 50 new animals to limit the probability of recording the same animal multiple times.

Two camera positions were used during laboratory recordings. In position 1, the camera was aligned with the aquarium so that the surface of the water was near the bottom of the field of view in order to capture the entire aerial portion of the escape, and 60 escapes were recorded using this configuration. In position 2, the camera was oriented so that approximately one-third of the field of view was below the surface of the water and two-thirds was above the water surface. This allowed determination of the copepod’s speed as it broke the water’s surface, the contact angle to the surface and the trajectory through air. Twenty-four escapes were recorded with this configuration. The contact angle was determined at the instant contact was made at the water surface, while the entire animal remained underwater. Using image analysis software (IMAGEJ), we determined the angle using the water surface and the longitudinal central plane of the animal. Recordings were performed in a darkroom and escape responses from the copepods were elicited through a photic startle response by a rapid change in light intensity [29]. The subsequent escape responses resulted in many copepods breaking the water’s surface and travelling variable distances through the air. Escapes in which more than 50 per cent of the aerial trajectory was out of the field of view were not used for analysis. In cases where only a smaller portion (less than 50%) of the escape travelled beyond the field of view, the maximal distance was extrapolated using Vogel’s model for an object in free fall [30]. This was required for 19 of the 60 escapes used in our analysis.

(c) Data analysis

To compare the kinematic results obtained from both IMAGEJ v. 1.43 software and CELLTRAK v. 1.5 motion analysis software, data were log transformed and checked for normality using a Shapiro–Wilk test. A one-way analysis of variance (ANOVA) was performed for both total horizontal distance and maximum velocity.

We used the following equation to estimate the net kinetic energy loss (ΔK) incurred from a copepod breaking the water surface:

\[ ΔK = 0.5 m_{\text{copepod}} (U_0^2 - U_1^2), \]  

where \( m_{\text{copepod}} \) is the body mass of the copepod, \( U_0 \) is the copepod velocity at the moment just before the copepod starts to break the water surface and \( U_1 \) is the copepod velocity at the moment immediately after the copepod becomes completely airborne. \( m_{\text{copepod}} \) = \( \rho_{\text{copepod}} \times V_{\text{copepod}} \) where \( \rho_{\text{copepod}} \) is the mass density of the copepod (approximately equal to the mass density of the seawater, \( \rho_{\text{seawater}} \)), and \( V_{\text{copepod}} \) is the copepod body volume. \( V_{\text{copepod}} \) is calculated as \( 4/3\pi r^3 \), where \( r \) is the half the prosome length and \( \eta \) is the copepod aspect ratio, assuming the shape of a prolate spheroid with the long axis equal to the prosome length (2a) and the short axis equal to \( \eta \times 2a \). Here, we estimate three likely contributions to this energy loss:

(i) The loss owing to the water drag can be estimated as

\[ ΔK_1 = 0.25 C_d \rho_{\text{seawater}} U_0^2 S_e d_e, \]  

where \( C_d \) is the drag coefficient of the equivalent sphere having the same volume as that of the copepod body, \( S_e \) is the cross-sectional area of the equivalent sphere and \( d_e \) is the diameter of the equivalent sphere. We estimate this energy loss during breaking the water surface (very short time scale) as the average between the moment the animal makes contact with the surface (fully underwater) and moment the animal fully breaks free of the surface (fully in air).

Here, we assume that the drag acting on the copepod when it just starts to break the water surface is 0.5 \( C_d \rho_{\text{seawater}} U_0^2 S_e \) and the drag acting on the copepod when it just leaves the water surface to become completely airborne is 0.5 \( C_d \rho_{\text{seawater}} U_1^2 S_e \), where \( \rho_{\text{seawater}} \) is the mass density of air. Because \( \rho_{\text{seawater}} \ll \rho_{\text{seawater}} \), the average drag for this short time interval is approximately

\[ C_d \rho_{\text{seawater}} U_0^2 S_e \]  

where \( C_d \) is calculated based on the Reynolds number, \( Re = U_0 d_e / \nu_{\text{seawater}} \), where \( \nu_{\text{seawater}} \) is the kinematic viscosity of the seawater. Although we are not sure about the
applicability of the commonly used drag law, equation (2.2) should give upper bound estimation of the energy loss owing to the water drag.

(ii) The loss owing to the increase of the gravitational potential energy of the copepod body estimated as

$$\Delta K_2 = m_{copepod} g d_e \cos(\alpha).$$

(2.3)

where $g$ is acceleration owing to gravity and $\alpha$ is the exit angle (electronic supplementary material, figure S1).

(iii) The loss owing to overcoming the surface tension:

$$\Delta K_3 = \sigma A_{copepod} \cos(\theta).$$

(2.4)

where $\sigma$ is the surface tension for the seawater–air interface, $A_{copepod}$ is the surface area of the copepod, and $\theta$ is the contact angle between the copepod body and the seawater surface.

Here, we assume that the energy loss is due to the copepod surface condition changing from interfacing with seawater to interfacing with air, such that

$$\Delta K_3 = (\sigma_{copepod--air} - \sigma_{copepod--seawater})A_{copepod},$$

where $\sigma_{copepod--air}$ and $\sigma_{copepod--seawater}$ are the surface energies associated with the copepod–air and copepod–seawater interfaces, respectively. Using Young’s law for the contact angle (i.e. $\sigma_{copepod--air} = \sigma_{copepod--seawater} + \sigma \cos(\theta)$ [31]) we obtain equation (2.4).

3. RESULTS

Field video recordings captured the copepod *Anomalocera ornata* (prosome length 2.5–3.1 mm) in the presence of small plankton-feeding fish (juvenile *Mugil cephalus*) within inshore waters of the northern Gulf of Mexico. The escape behaviour was stimulated by the approach of a predatory fish, *M. cephalus* (figure 1), and consisted of an airborne leap covering a horizontal distance of $80 \pm 0$ mm ($n = 89$), with maximum distances of up to 170 mm observed (see electronic supplementary material for video of this behaviour). On average, the copepods travelled over 40 times their own body length and 3.4 times the body length of the fish predator (mean standard length 24.2 mm). The maximum aerial velocity achieved during these escapes was $890 \pm 200$ mm s$^{-1}$ and average velocities over the entire escape were $660 \pm 150$ mm s$^{-1}$ (figure 2a). Only one of the 89 observed escapes resulted in multiple attacks by the same fish.

A smaller pontellid copepod (prosome length 1.8–2.0 mm), *Labidocera aestiva*, was stimulated to perform escape jumps in the laboratory using a photic startle response, and the escapes were recorded with a high-speed video camera at 250–500 frames s$^{-1}$ (see electronic supplementary material for video of this behaviour). This species swam approximately 0–40 mm below the water’s surface until stimulated to escape. We found the maximum aerial velocity of the copepods after they broke the water’s surface to be $630 \pm 150$ mm s$^{-1}$. This was significantly lower ($p = <0.001$) than velocities produced by *A. ornata* and also resulted in significantly lower ($p = <0.001$) horizontal escape distances (figure 2a). *Labidocera aestiva* was able to attain heights over 60 mm above the water’s surface and up to 76 mm in distance from the exit point in the water. However, the mean horizontal distance travelled during escapes through air was $16.0 \pm 14.1$ mm. It is interesting to note that in most cases, rotation was imparted on the animal as it broke the surface (see electronic supplementary material, video). In some cases, the rotation was estimated in excess of 45 000 degrees s$^{-1}$ (7500 r.p.m.). The underwater portion of the escapes for *L. aestiva* yielded maximum velocities of $1036 \pm 121$ mm s$^{-1}$, which is significantly greater ($p = <0.001$) than maximum velocities observed after breaking the surface.

The results of a correlation analysis between horizontal escape distance and maximum aerial velocity for *A. ornata* exhibited a moderate relationship ($R^2 = 0.36$; figure 2b). The same analysis performed for *L. aestiva* exhibited virtually no correlation between horizontal escape distance and maximum aerial velocity ($R^2 = 0.04$; figure 2c).

Notably, swimming pattern and orientation of the two species relative to the water surface before escape are also different (figure 3). *Labidocera aestiva* was observed to swim freely below the water surface using an intermittent (cruising–sinking) swimming pattern. During the cruising phase, the copepod was oriented randomly to the water surface, but during sinking *L. aestiva* was consistently observed to orient with its anterior end towards the water surface. *Anomalocera ornata* exhibited a cruising swimming pattern, and was consistently oriented with its ventral side facing...
downwards (away from the surface) and the dorsal side of the animal at the water surface.

When high-speed recordings during the aerial portion of an escape jump of *L. aestiva* are compared with a model of biological projectiles [29], the copepod acts as a ballistic object in free fall (figure 4a). Using data from both 500 and 250 frames observations, we estimate that 58 to 88 per cent of the kinetic energy at the moment when the copepod starts to break the water surface will be lost for breaking the water surface (figure 4b). Among the total loss (fitted to the data), 61 to 67 per cent is due to overcome the water drag force (i.e. $\Delta K_1$), the contribution from increases of gravitational potential energy ($\Delta K_2$) is negligible, and the loss owing to overcoming the surface tension ($\Delta K_3$) is 33 to 39 per cent. When a similar calculation is made for adult flying fish that are orders of magnitude larger than pontellid copepods, yet produce a functionally analogous behaviour, the cost of breaking the surface is less than 0.07 per cent of the kinetic energy possessed at the moment when the fish starts to break the water surface.

4. DISCUSSION

Large-scale movement of copepods that reside in the neustonic surface layer of the ocean is often subject to surface currents. They have been observed to accumulate at oceanic frontal boundaries [32], where small predatory fish are also more abundant [33]. Thus, successful predator evasion is essential to the copepod’s survival. However, being confined at the surface limits escape ability, and predators have been observed using the water surface to aid in prey capture [34]. The ability of some pontellid copepods to break the water surface provides advantages over escapes that occur solely underwater. First, exiting the perceptive field of a predator and re-entering at a random location reduces the chance of continued pursuit, and the 80±30 mm horizontal escape distance observed for *A. ornata* is well beyond the perceptive distance determined for fish of similar length to *C. mugil* [35]. Second, for a copepod to achieve a similar escape distance solely underwater, it would have to expend approximately 20 times more mechanical energy; therefore a significant energetic saving exists by jumping into air.

The underwater velocity is higher than maximum velocities reported for other similarly sized copepods [20], which facilitate these small organisms breaking the water surface. However, the mode in which the two species of copepods exit the water is different (figure 3). *Anomalocera ornata* consistently swims with its dorsal side at the water surface, while the anterior end of *L. aestiva* was generally directed towards the surface but was observed to swim at many orientations just below the surface. This may explain why *L. aestiva* exhibits a lower correlation between maximum aerial velocity and horizontal distance than *A. ornata* (figure 2bc). Considering a single-stroke escape jump that occurs completely underwater, the copepod achieves its peak velocity approximately at the end of the power stroke of the swimming legs. During the power stroke, the copepod
travels a distance $nL$, where $L$ is the prosome length and $n$ approximately 1–2 [21]. Upon completion of the power stroke, the copepod rapidly decelerates owing to drag forces, but maintains enough inertia to move forward another distance of approximately $nL$ until coming to rest. The present observations show that copepods, via a one-kick jump, can break the surface of the water (see electronic supplementary material, video) and peak velocity ($U_1$) is obtained just before breaking the surface. At the moment when the animal becomes completely airborne, it travels at a velocity ($U_2$) that is significantly smaller than $U_0$. In other words, there is a net kinetic energy loss (figure 4b). The net kinetic energy loss ($\Delta K$) incurred during the copepod Labidocera aestiva breaking the water surface is 58 to 88 per cent.

This energy loss, however, is compensated for by increased escape distance. After becoming airborne, the copepod can travel significantly farther than $nL$ (i.e. the distance it otherwise travels underwater) because it now experiences the air mass density, which is approximately 850 times smaller than the mass density of seawater. Therefore, the copepod will experience less drag, resulting in increased distance. There is no propulsive force exerted by the copepod after it becomes airborne, and the copepod undergoes ballistic motion because of gravity (and the air drag force; figure 4a).

Our field observations show that copepods can effectively use aerial escapes as an anti-predator mechanism. By leaving the perceptive environment of the visual fish predators and re-entering the water up to 170 mm (approx. 60 body lengths) away from the attack site, a copepod can use this effective strategy, which appears analogous to that of some larger organisms (e.g. flying fish). An important difference, however, is that all species known to perform similar types of behaviour are orders of magnitude larger than copepods. This means that copepods must contend with the reduced inertial forces (lower Reynolds number) and a greater proportion of the total energy dedicated to break the surface tension of water.

Consider the case of a flying fish. We calculate that flying fish lose less than 0.07 per cent of their overall kinetic energy in breaking the surface tension, compared with 33 to 39 per cent in the case of the copepod, despite a greater magnitude of energy loss (owing to larger
surface area) than copepods. This is due to the fact that flying fish possess orders of magnitude more kinetic energy upon contact with the water surface because of much greater mass, and underwater speeds of approximately 10 m s⁻¹ [36] compared with approximately 1 m s⁻¹ in copepods. However, it should be noted that although aerial escapes in larger, heavier aquatic animals lose almost no kinetic energy from surface tension effects, horizontal distances in terms of body length (for animals exhibiting ballistic aerial motion) are much shorter [37]. Thus, what appears to be a disadvantage of small mass (e.g. losing significant proportion of kinetic energy) can translate into an advantage: once the water surface is broken, the copepod travels disproportionately farther than larger animals (with ballistic flight paths). The major reason for this is that the copepod has the ability to generate and maintain a disproportionately large air-entry velocity (relative to body length) compared with larger animals. A second reason might be that the flying copepod experiences smaller air-drag-induced deceleration than larger animals. Therefore, ballistic aerial escape paths can be effective in pelagic ecosystems when the animal (and predator) is small, but are unlikely to carry a larger animal out of the perceptive range of their predator. Instead, specialized structures and behaviour such as those observed in flying fish are required to extend horizontal distance above water.

Because escapes are energetically costly [38–40], a copepod’s fitness can be reduced even without being captured by a predator. It therefore benefits the copepod to balance predation risk and energy cost by avoiding unnecessary escapes. To avoid pursuit or multiple attacks from a predator, copepods must travel to a distance outside of the perceptive range of the predator. During an escape, a copepod travels approximately one to two times its prosome length per stroke (calculated from Wagett & Buskey [21]). For the pontellid copepods, this would result in a distance of 2–6 mm per stroke. However, even small fish can perceive prey at least 10 mm away [35,41]; thus, multiple escape jumps are required for a copepod to exit the predator’s perceptive field. Therefore, if an escape occurs in air rather than water, reduced drag forces can extend escape distance. This can transport a copepod further from a predator with a single escape jump than with multiple jumps in an aqueous environment, resulting in net energy savings. They also return to the water in an unpredictable location, making pursuit from the predators unlikely.

Finally, the pontellid copepods may have special adaptations to make it easier for them to jump out of the water. One possible adaptation is that the body surface of those copepod species that do perform such air-entering jumps is less wettable than other copepods or crustaceans in general, and thus their surface properties may be essential for their unusual capability of breaking the water surface. Our kinetic energy budget calculation suggests that if the surface tension is not altered during the breaking of the surface (i.e. a constant σ = 0.075 N m⁻¹), in order to maintain a useful level of kinetic energy after breaking the surface the copepod body surface has to be hydrophobic, i.e. much larger contact angle in the 68–81° range (figure 4b; calculated according to equation (2.4)). Another suspected adaptation may be that the copepods inject chemicals during breaking of the surface to reduce the surface tension by three to six times, and therefore a useful level of air-entry kinetic energy can still be maintained even when the contact angle remains similar to published measurements for other crustaceans in the range of below 20° [42]. Further investigation is required to find out if these adaptations indeed exist. Nevertheless, unusual morphological structures are known to exist on the dorsal side of pontellid copepods [43], which might contribute to making the copepod body surface less wettable. However, these morphological structures make up only a small part of the animal’s total surface. Alternatively, pores specialized for secretion onto the body surface exist in pontellids [44], and similar pores with currently unknown function may also be involved in secreting substances to alter surface properties or surface tension of water immediately surrounding the animal. Regardless of the mechanism, escaping through air appears to be an effective strategy to not only avoid and survive attacks from predators by temporarily exiting the liquid environment and exiting the predator’s perceptive field, but also to conserve energy during escapes, providing a competitive advantage for pontellid copepods in the neustonic environment.

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REFERENCES


Figure S1. A highly hypothetical schematic of a copepod breaking the air-seawater interface to become completely airborne. The angle $\alpha$ is defined as the exit angle, and the angle $\theta$ is the contact angle between the copepod body and the seawater surface.
ENERGY LOSS OWING TO OVERCOMING SURFACE TENSION FOR FLYING FISH

Houshuo Jiang
Woods Hole Oceanographic Institution
Woods Hole, MA 02543


$L$: Fish body length [$= 0.23$ m, averaged using data in Table 1 of Davenport (1994)];

$W$: Fish body width [$= \eta \times L$, where the aspect ratio $\eta \sim 0.2$ based on Fig. 1 of Davenport (1994)];

$U$: Velocity at which the flying fish approaches the sea surface (about 10 m s$^{-1}$ in such large animals; some 20-30 body lengths s$^{-1}$) with its lateral fins furled against the body [Page 195 in Davenport (1994)]. Here, we use $U = 20 \times L$ (in m s$^{-1}$) for a conservative estimation;

$\rho$: Mass density of the fish (~ 1090 kg m$^{-3}$);

$\sigma$: Surface tension for the seawater-air interface (= 0.075 N m$^{-1}$); 

$\theta$: Contact angle between the fish body and the seawater surface, which is assumed to be equal to zero degree for a conservative estimation;

$A_{fish}$: Surface area of the fish, which is approximately calculated by assuming the fish body as a prolate spheroid:

$$A_{fish} = \frac{\pi}{2} \eta L^2 \left( \eta + \frac{\beta}{\sin(\beta)} \right)$$

where $\beta = \arccos(\eta)$ \hspace{1cm} (1)

$K$: Total kinetic energy:

$$K = \frac{\pi}{12} \rho \eta^2 L^3 U^2$$

The energy loss owing to overcoming the surface tension:

$$\Delta K_s = \sigma A_{fish} \cos(\theta)$$

Substituting the numbers, we obtain: $A_{fish} = 0.0266$ m$^2$, $K = 2.94$ Joule, and $\Delta K_s = 0.00199$ Joule. Therefore, $\Delta K_s/K = 0.068$ %.

Reference: